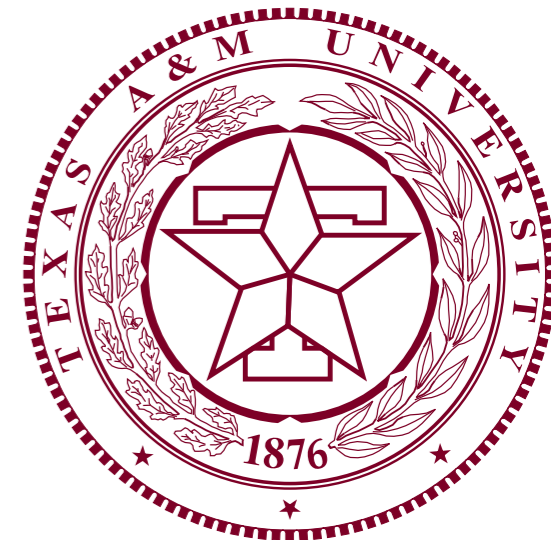
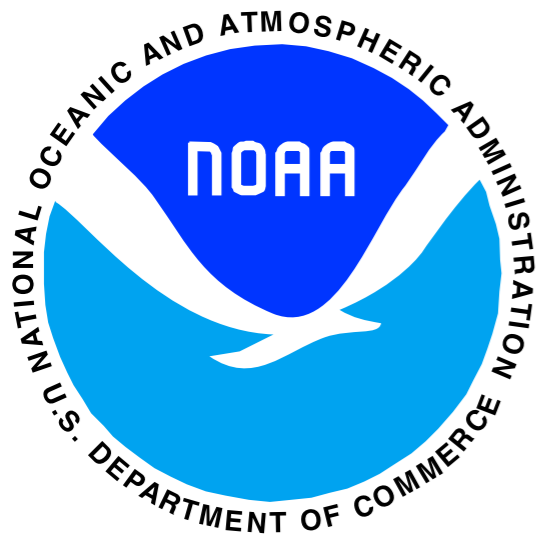
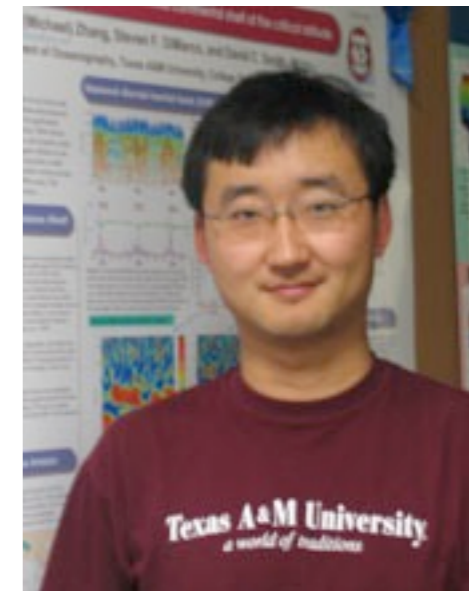
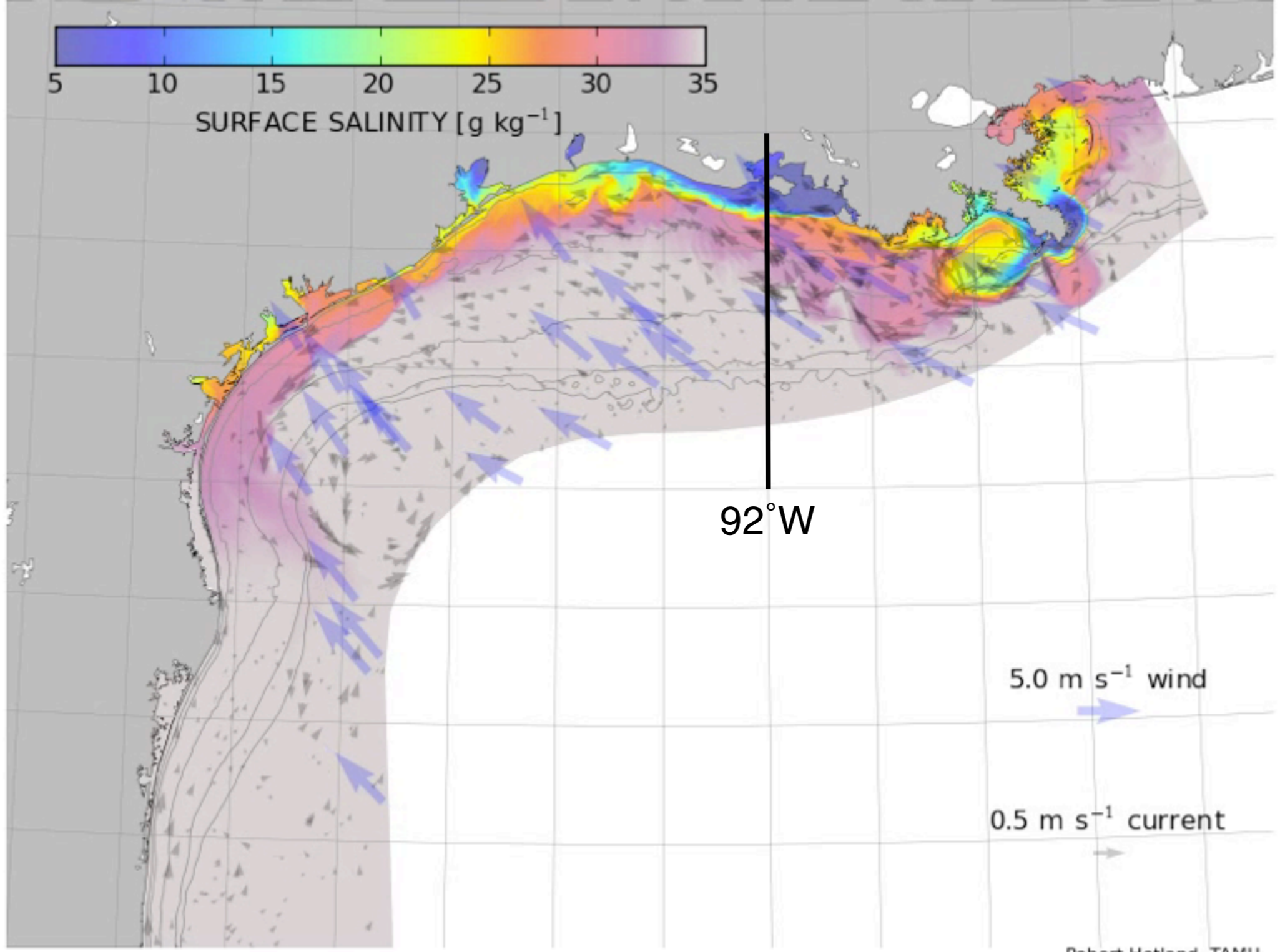


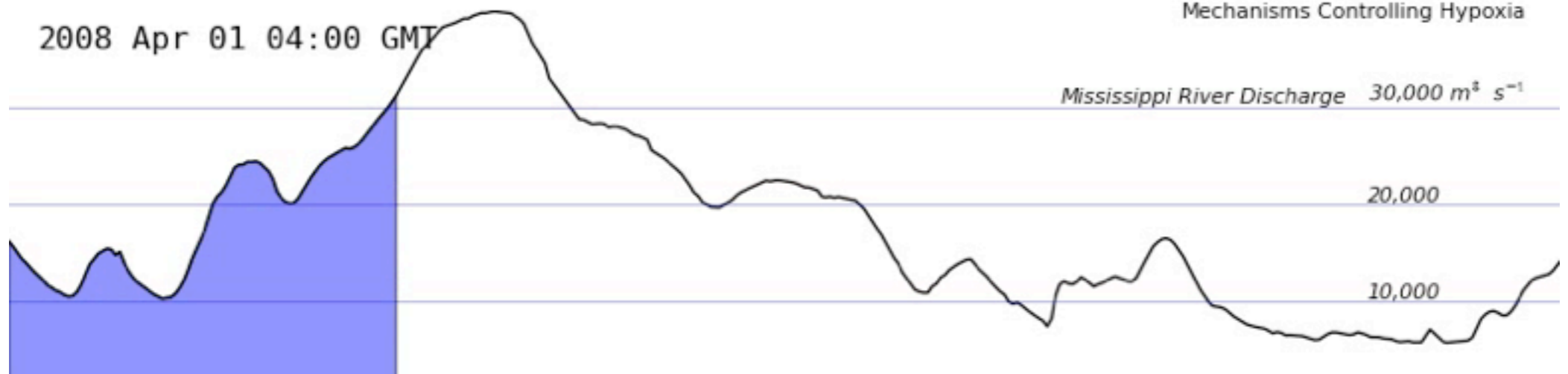
Modeling circulation on the Texas-Louisiana continental shelf

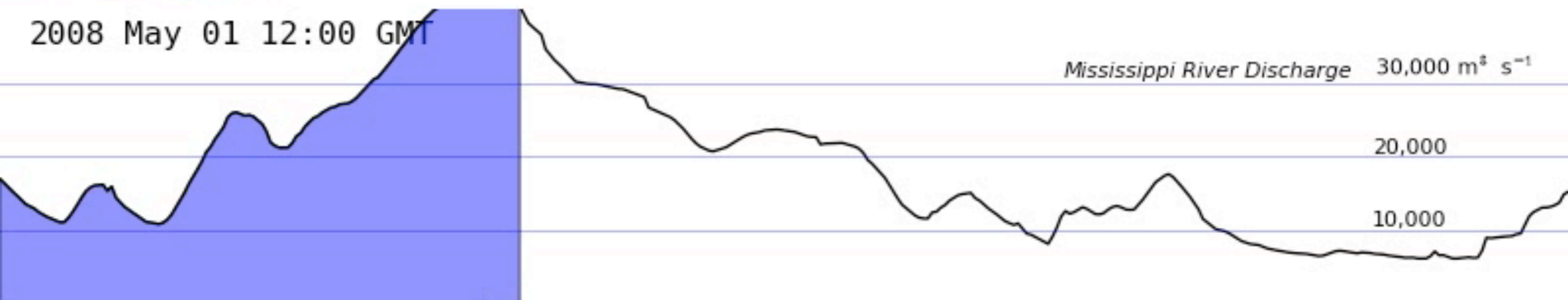
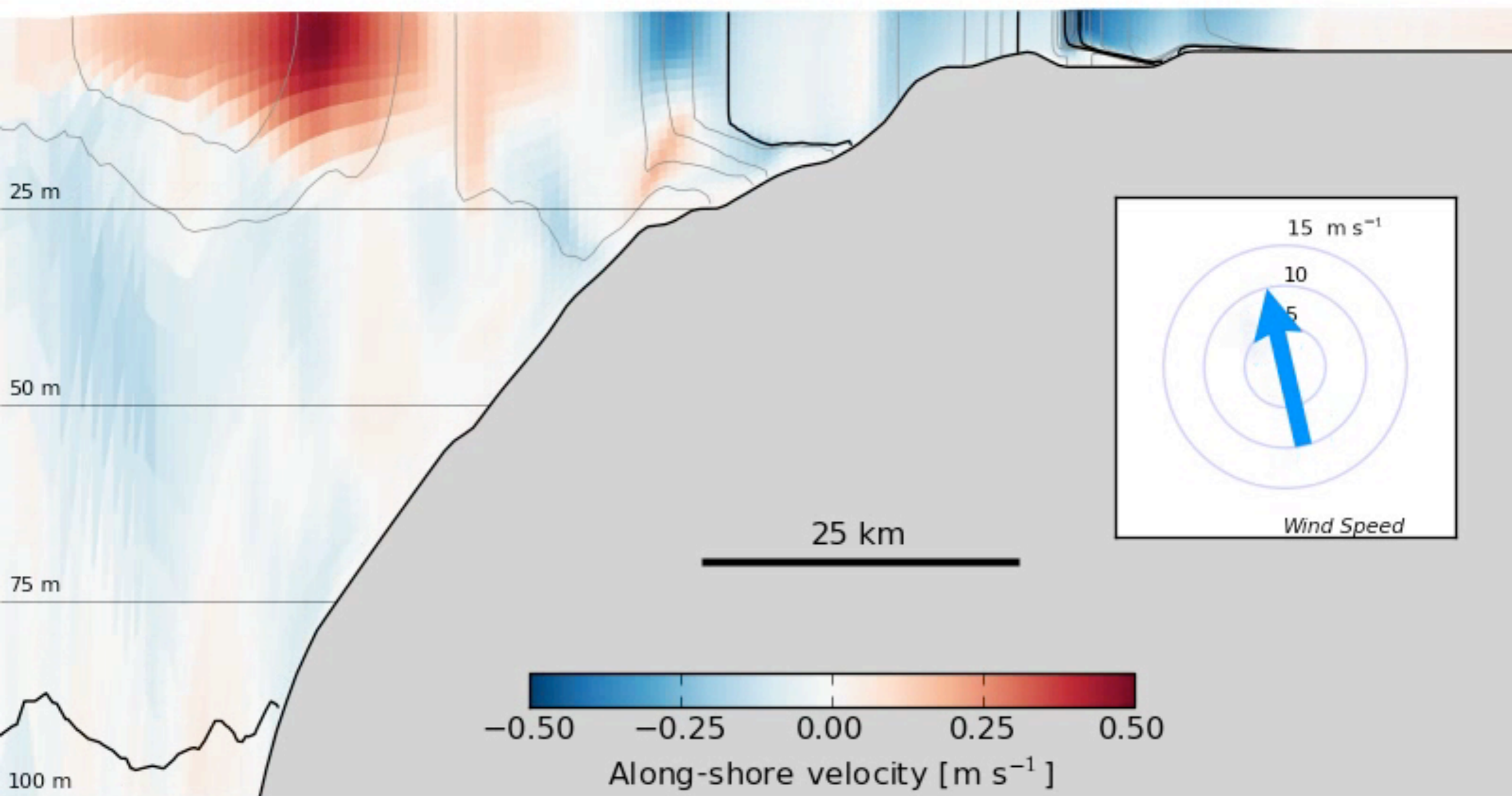
Rob Hetland
Xiaoqian Zhang

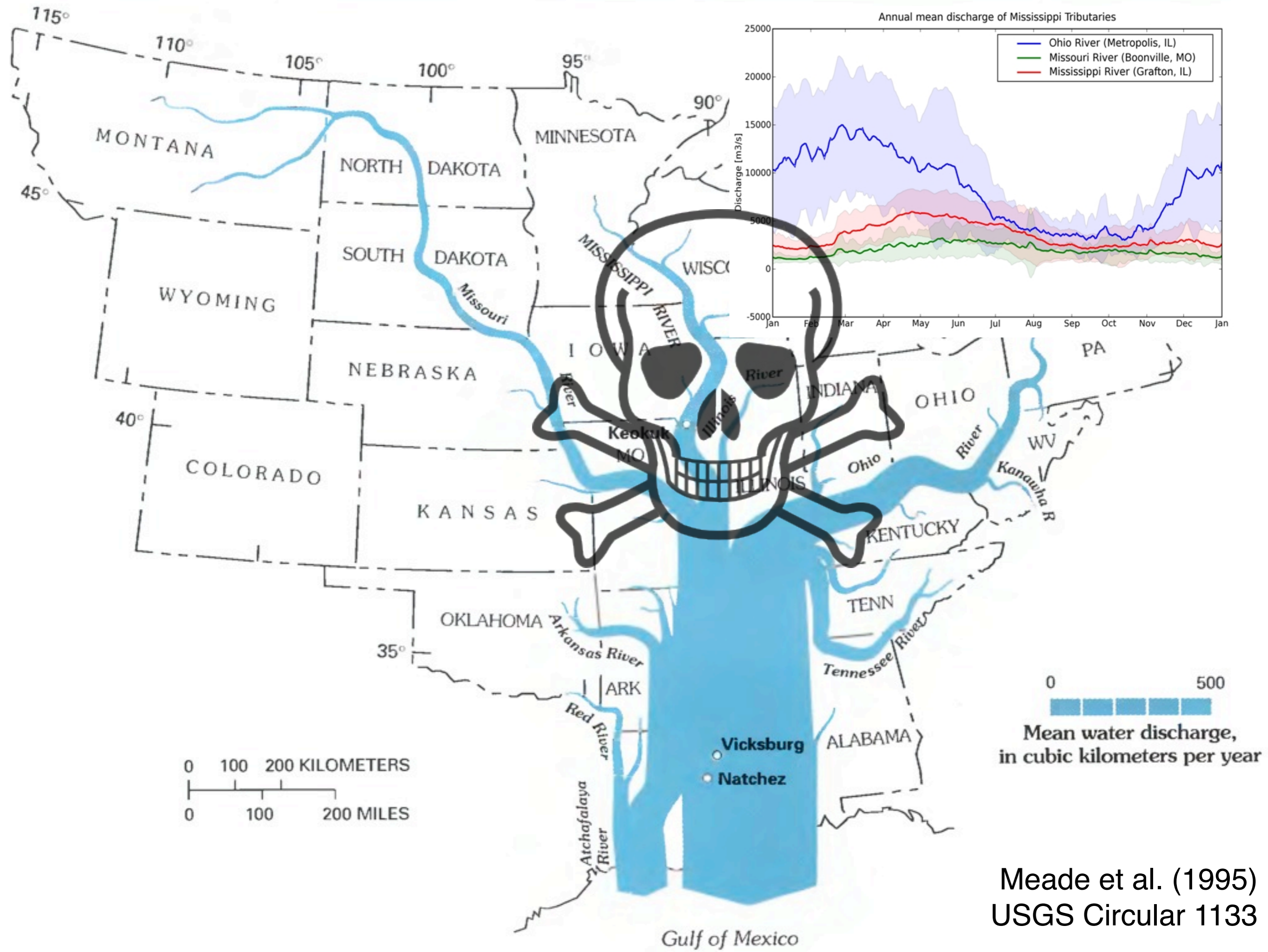




Robert Hetland, TAMU
Mechanisms Controlling Hypoxia







Meade et al. (1995)
USGS Circular 1133

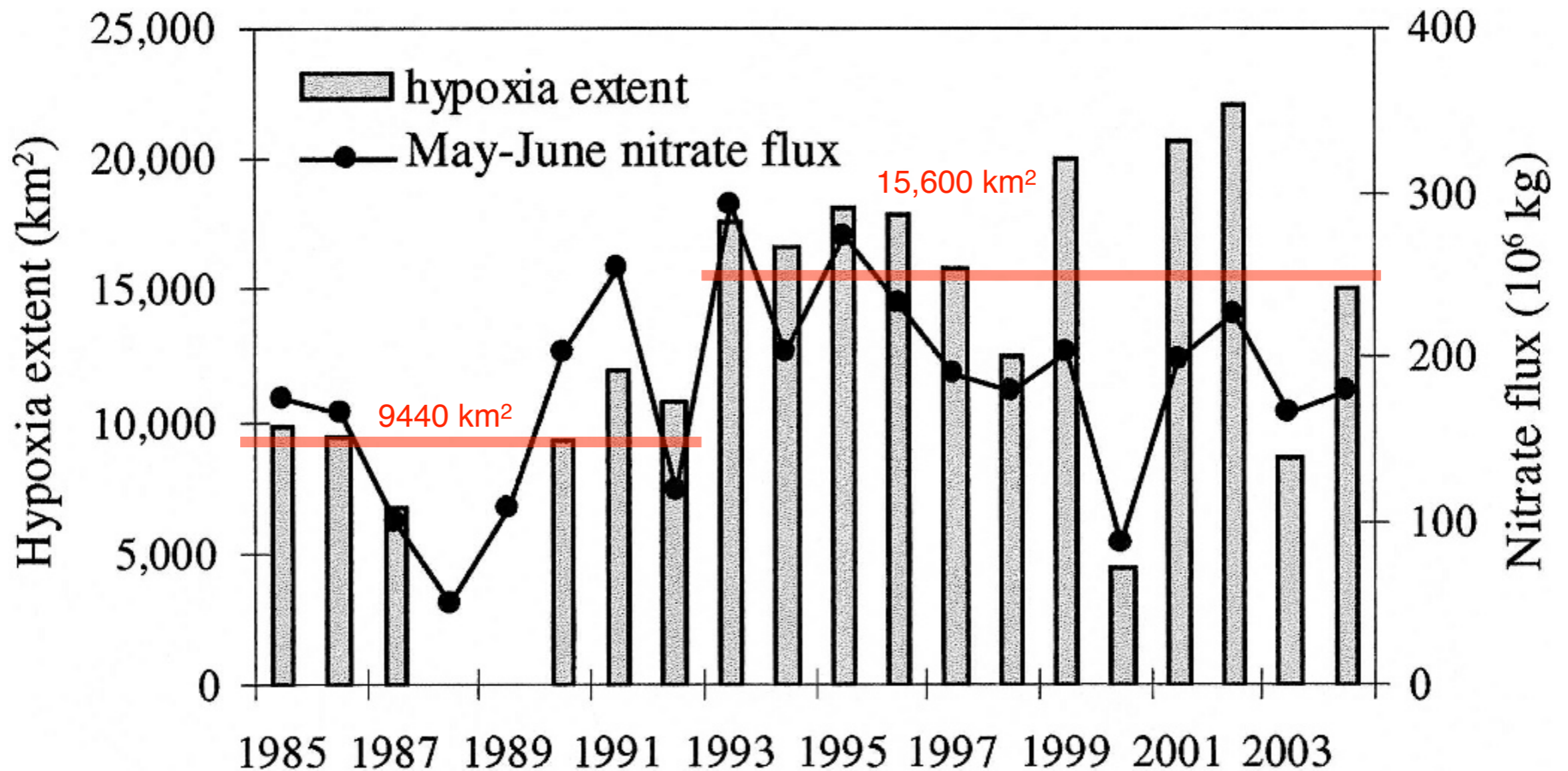
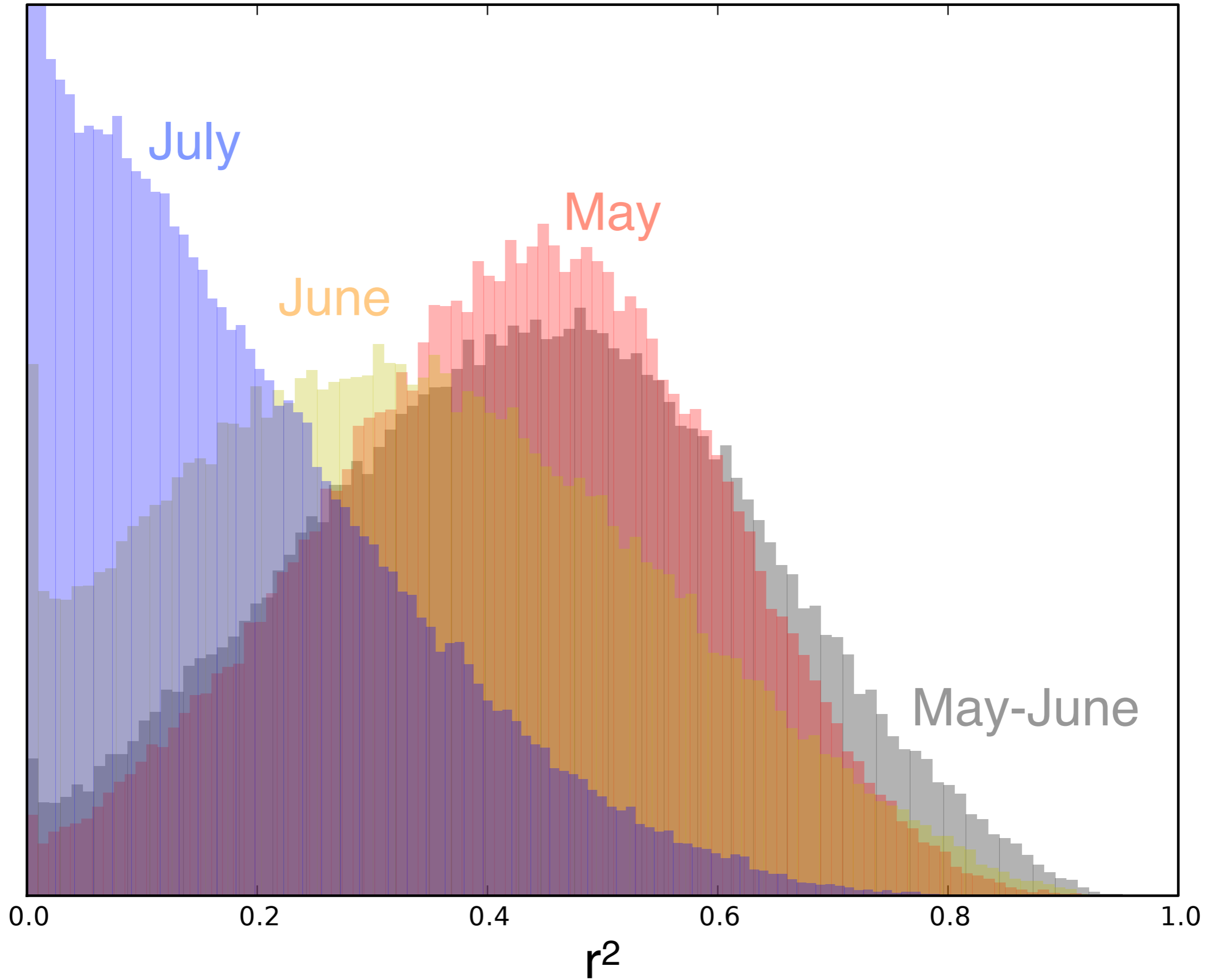


Fig. 1. M–J nitrate flux by the Mississippi River (at St. Francisville, Louisiana) and extent of seasonal hypoxia in the Gulf of Mexico between 1985 and the present. The hypoxic zone reached 40 km² in 1988; no data is available for 1989.

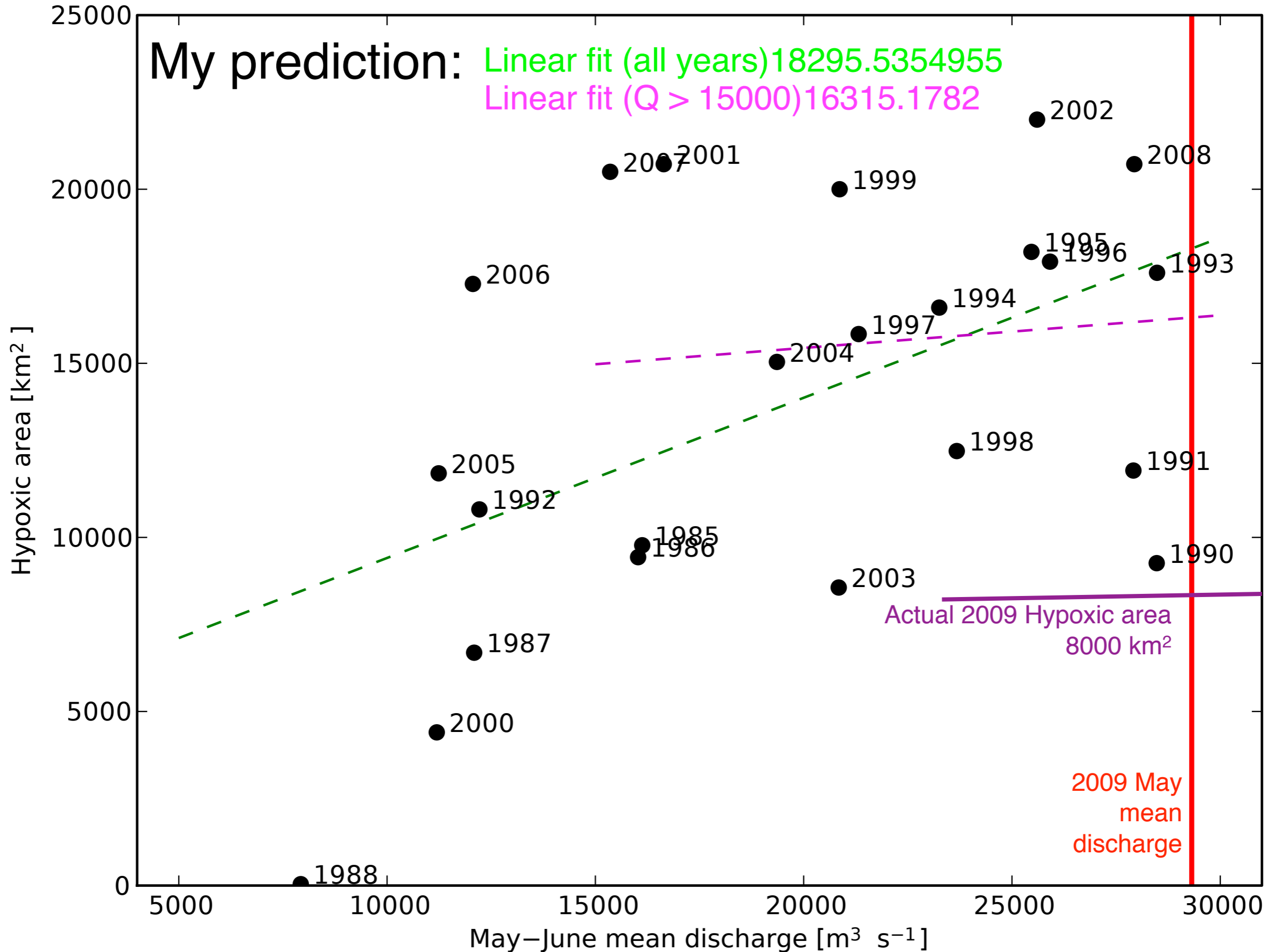
Bootstrapped correlation between nutrient load and hypoxic area



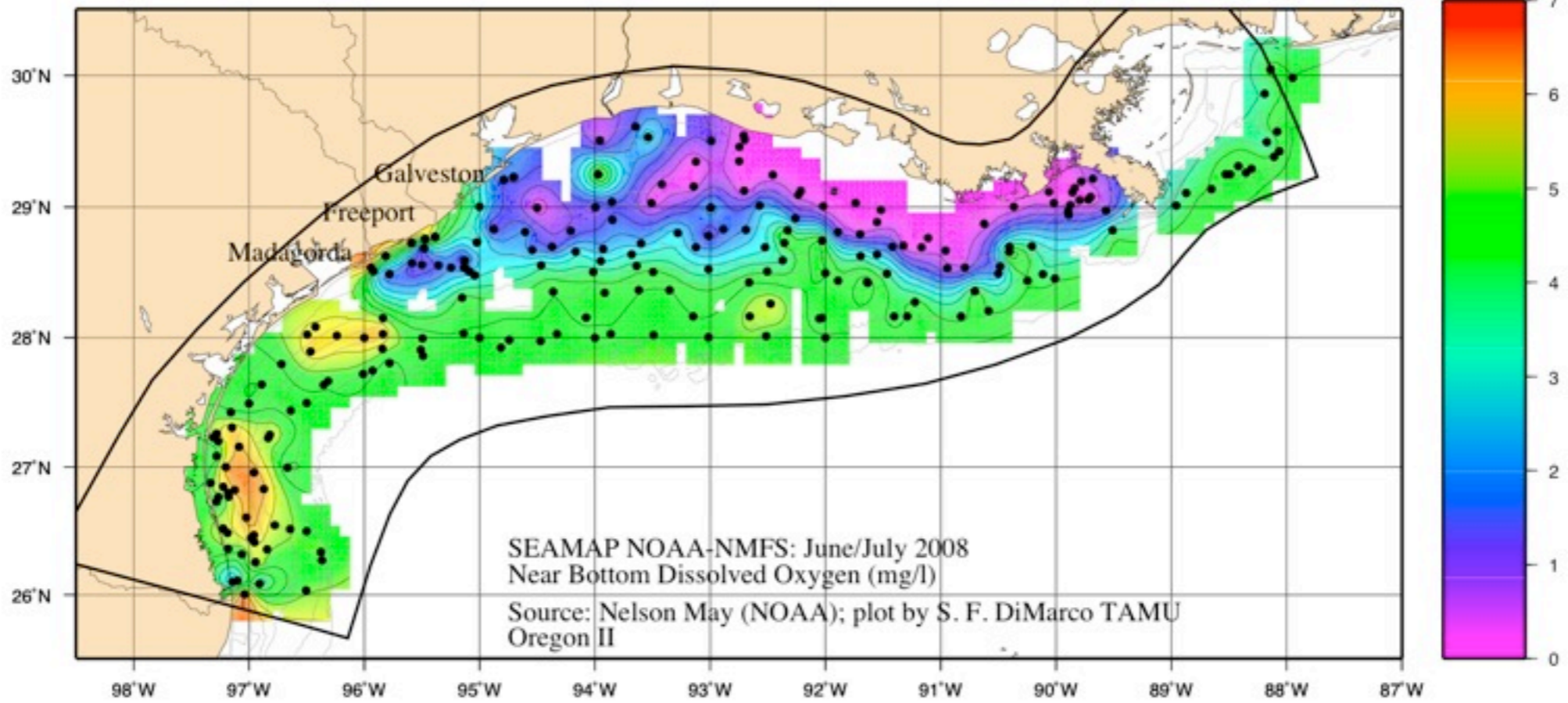
Bootstrapped correlations between
streamflow and nitrogen load



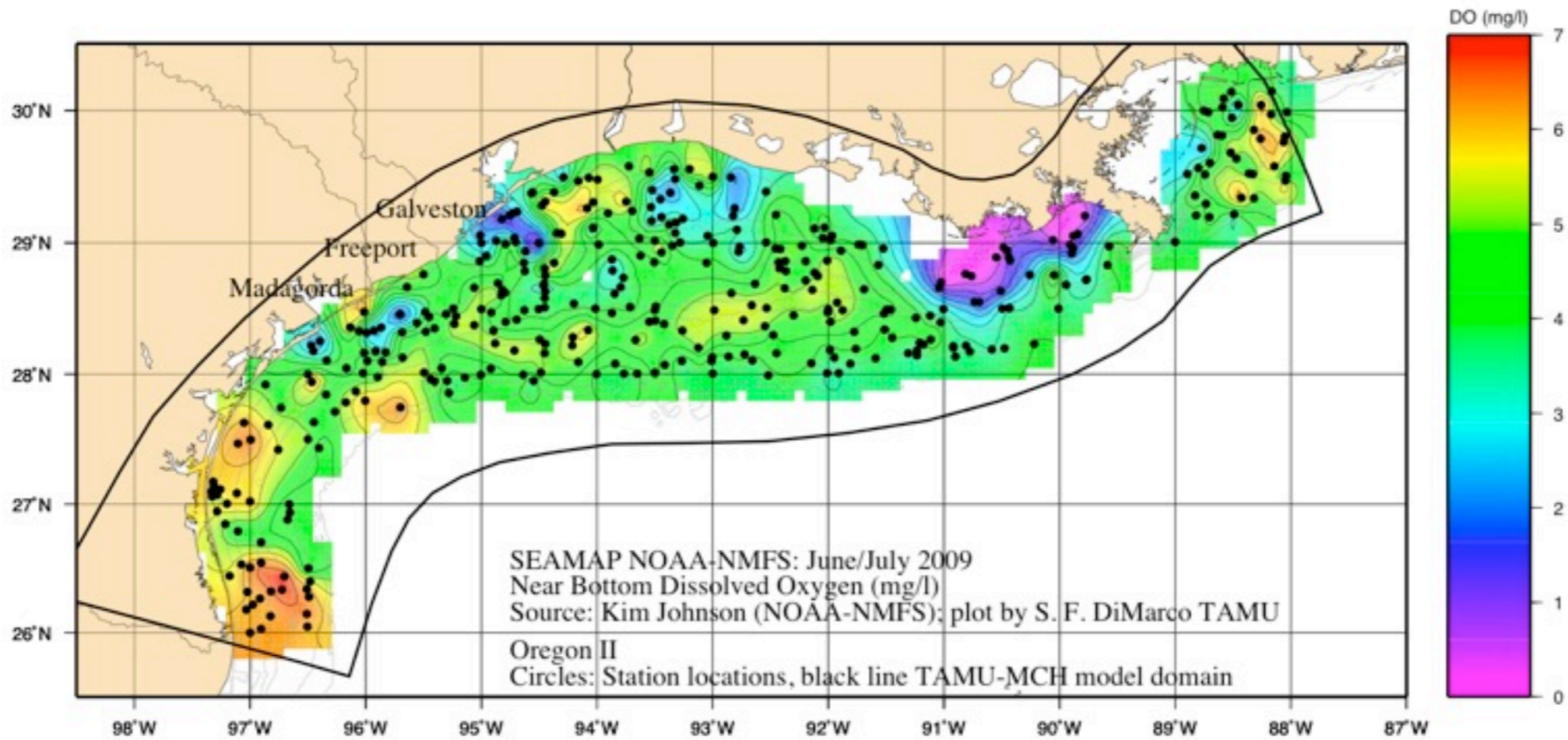
Statistical predictions of 2009 hypoxic area

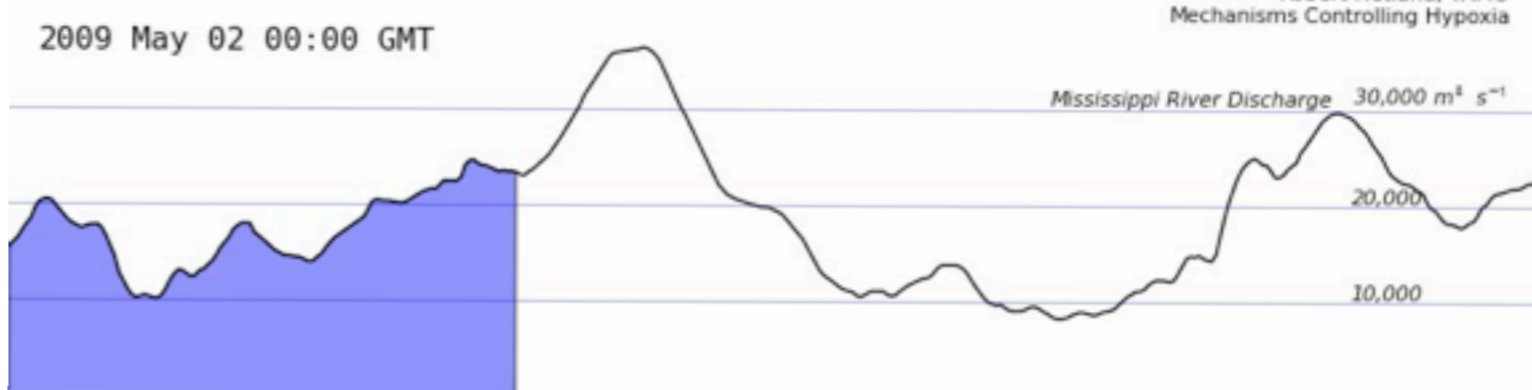
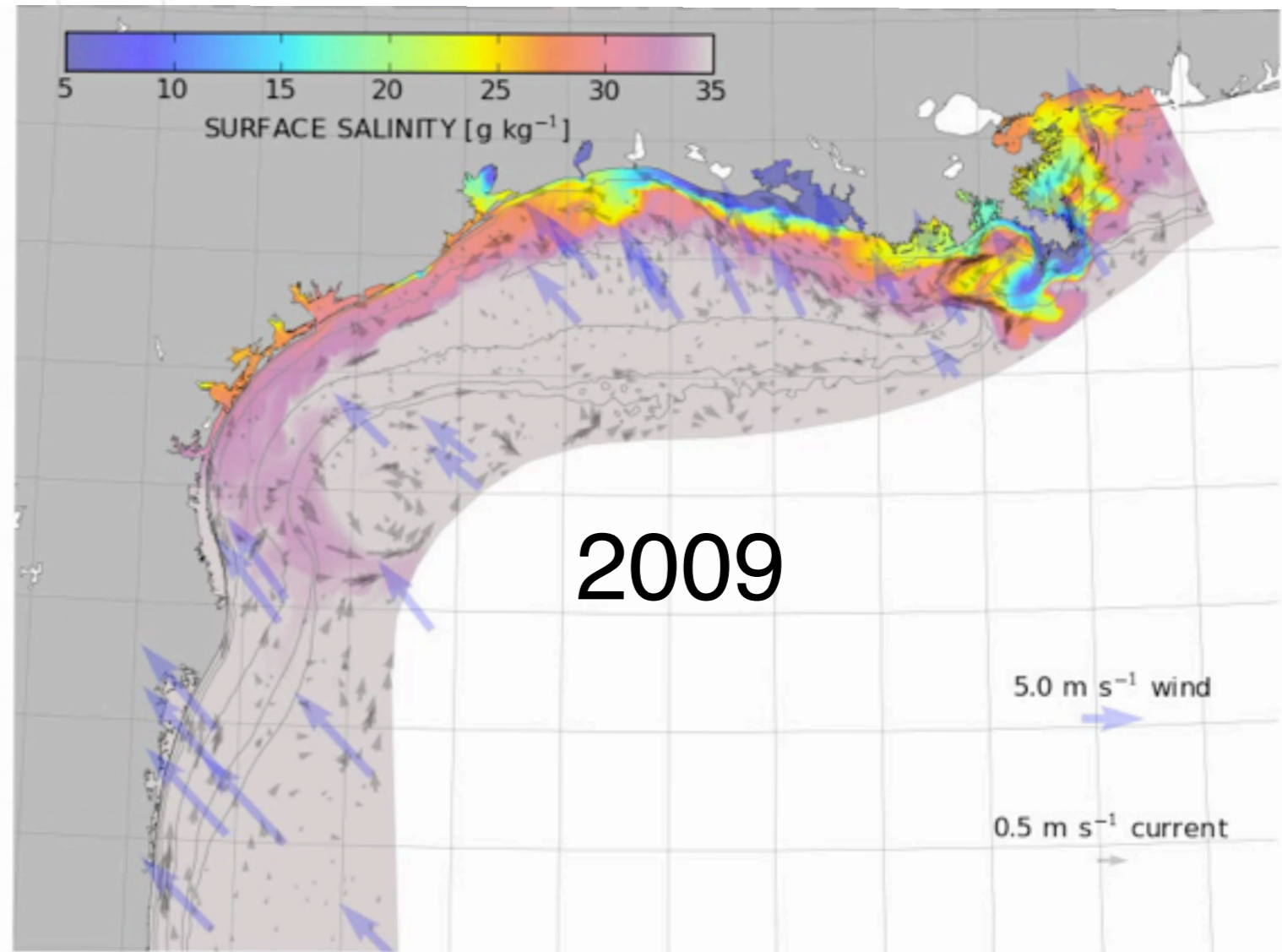
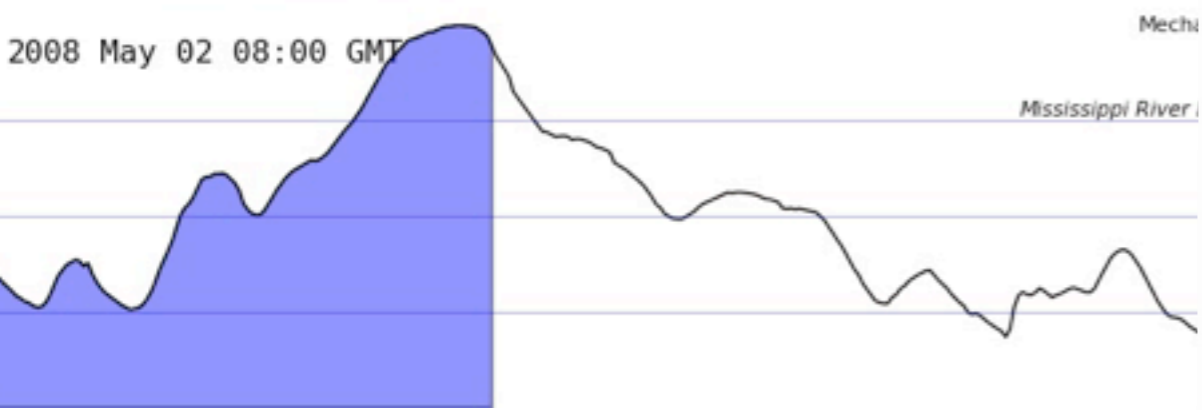
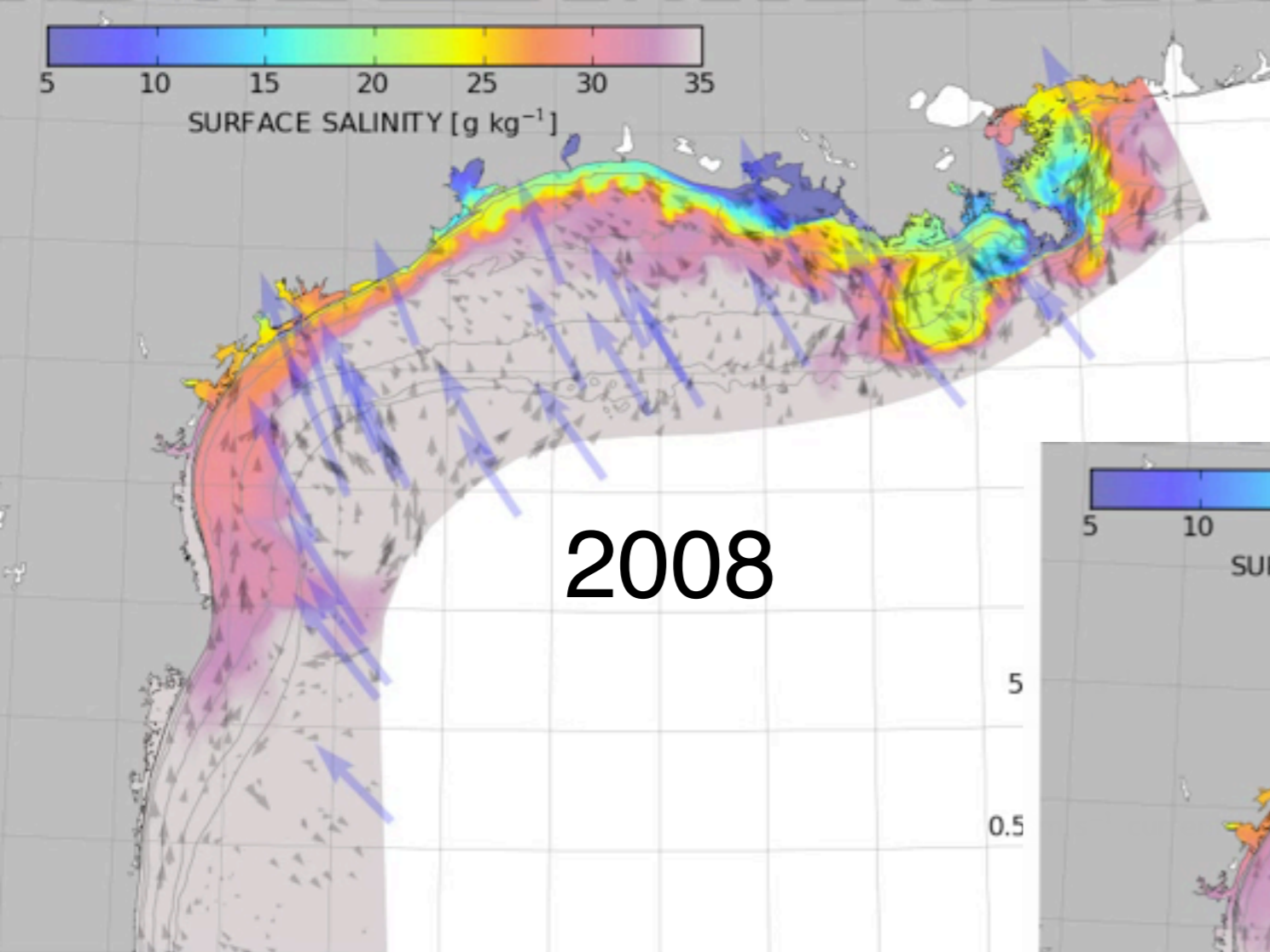


2008

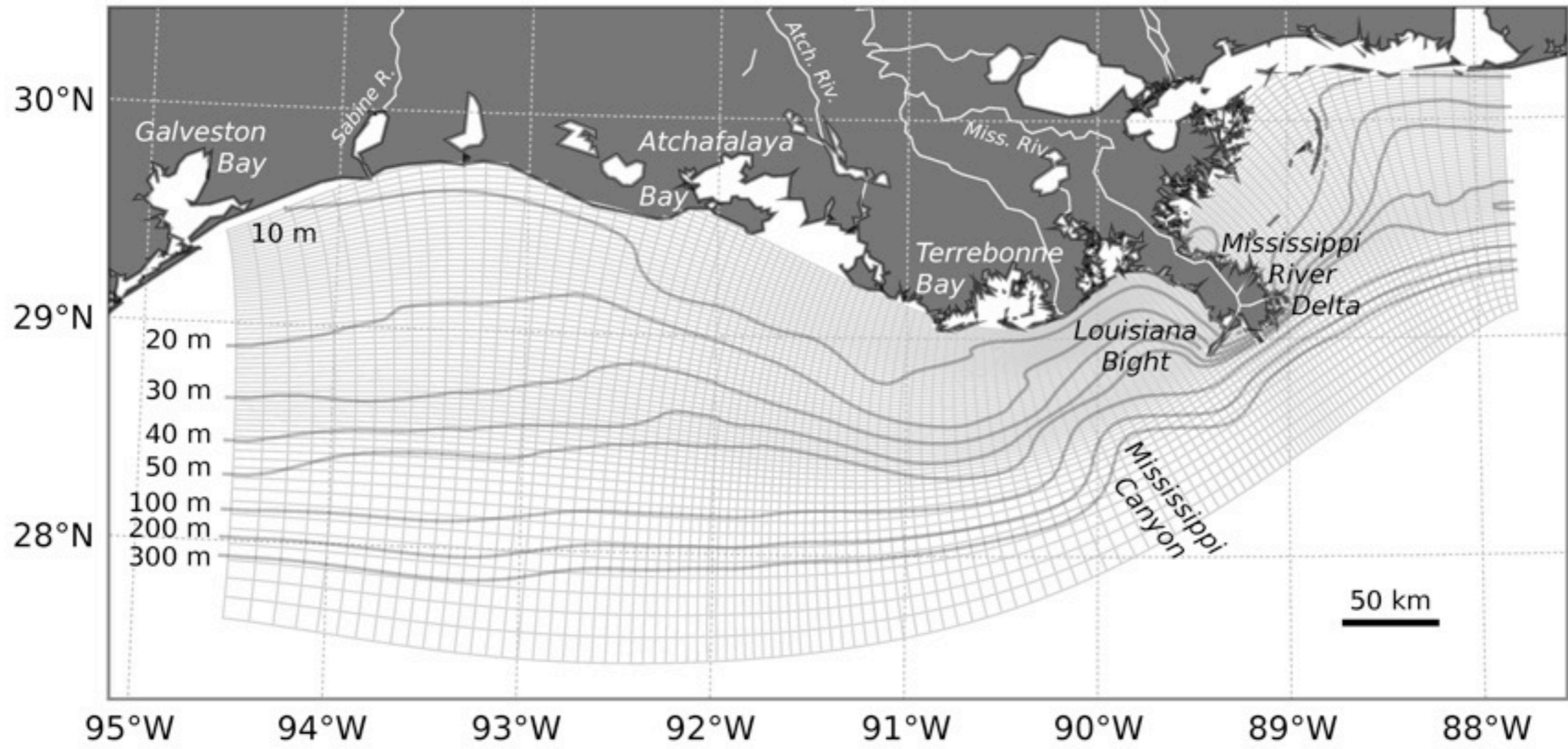


2009

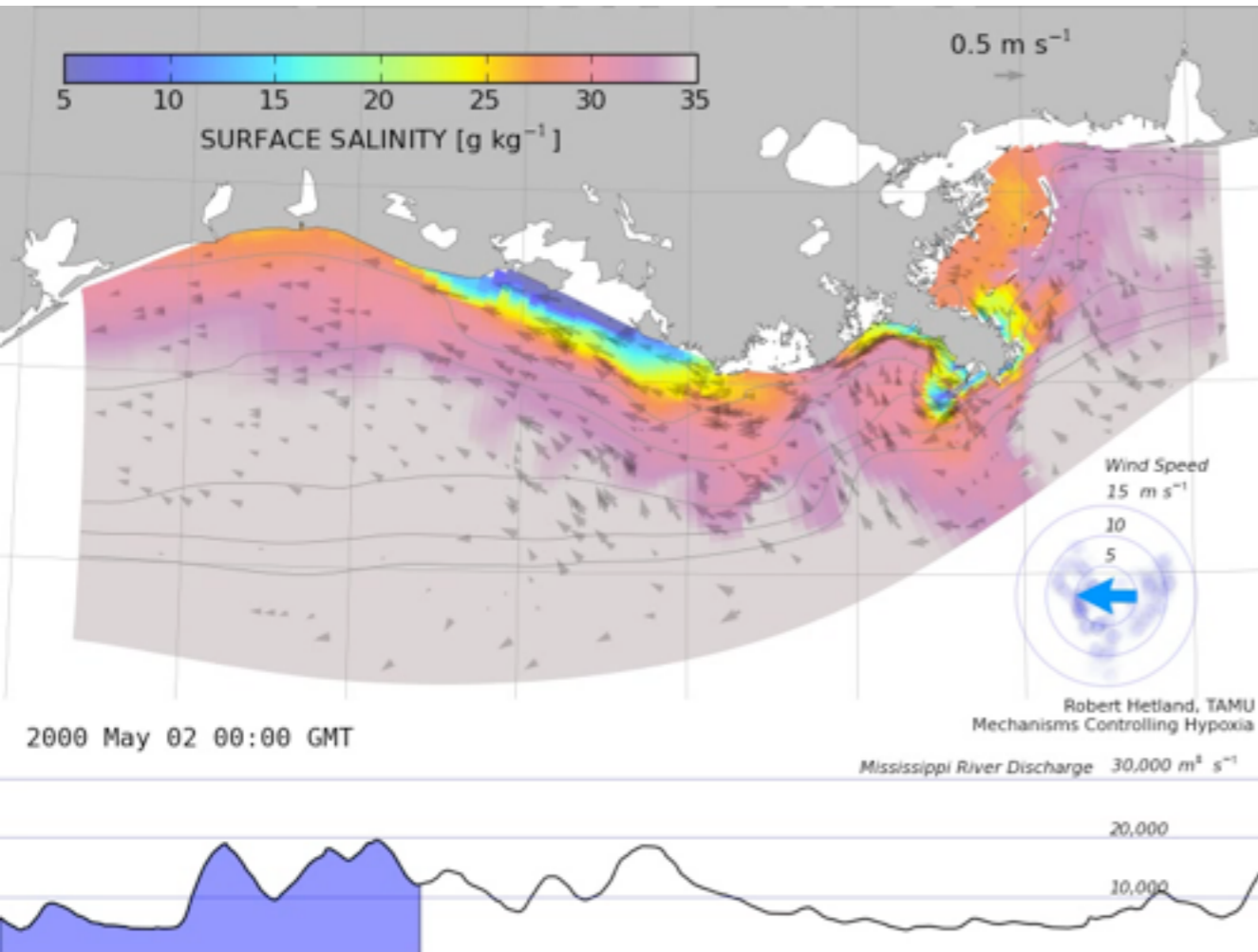




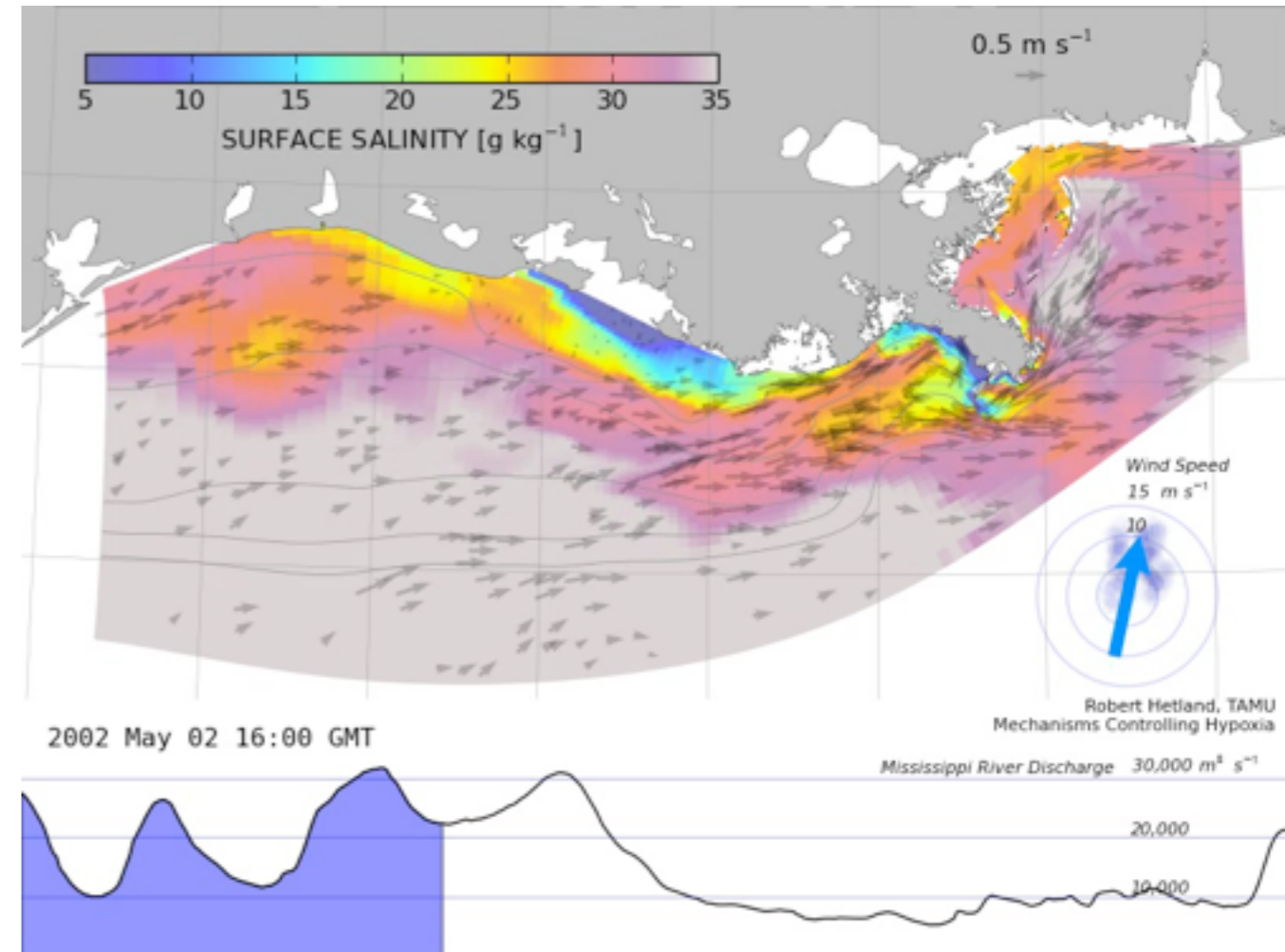
Robert Hetland, TAMU
Mechanisms Controlling Hypoxia

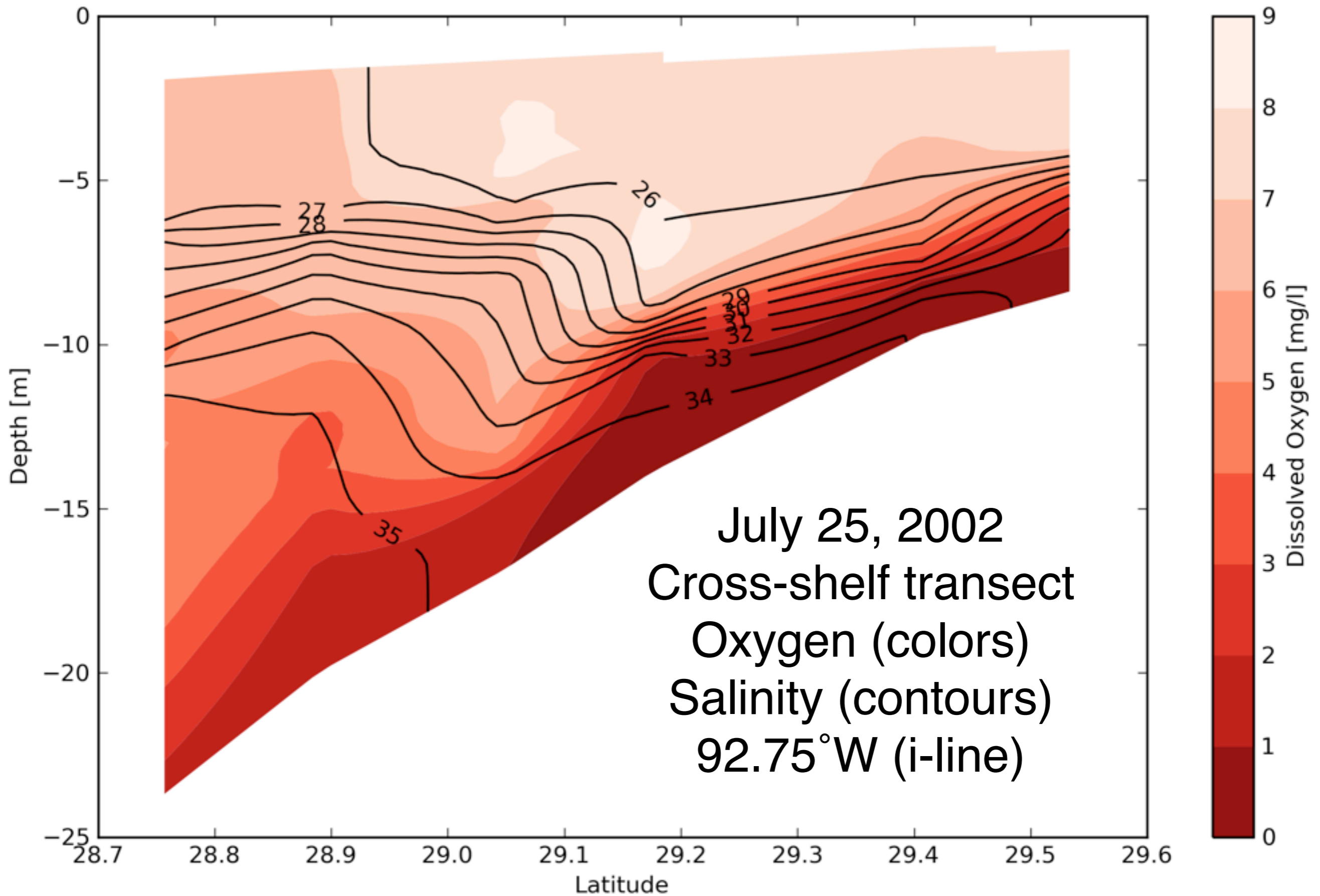


2000 Smallest hypoxic area



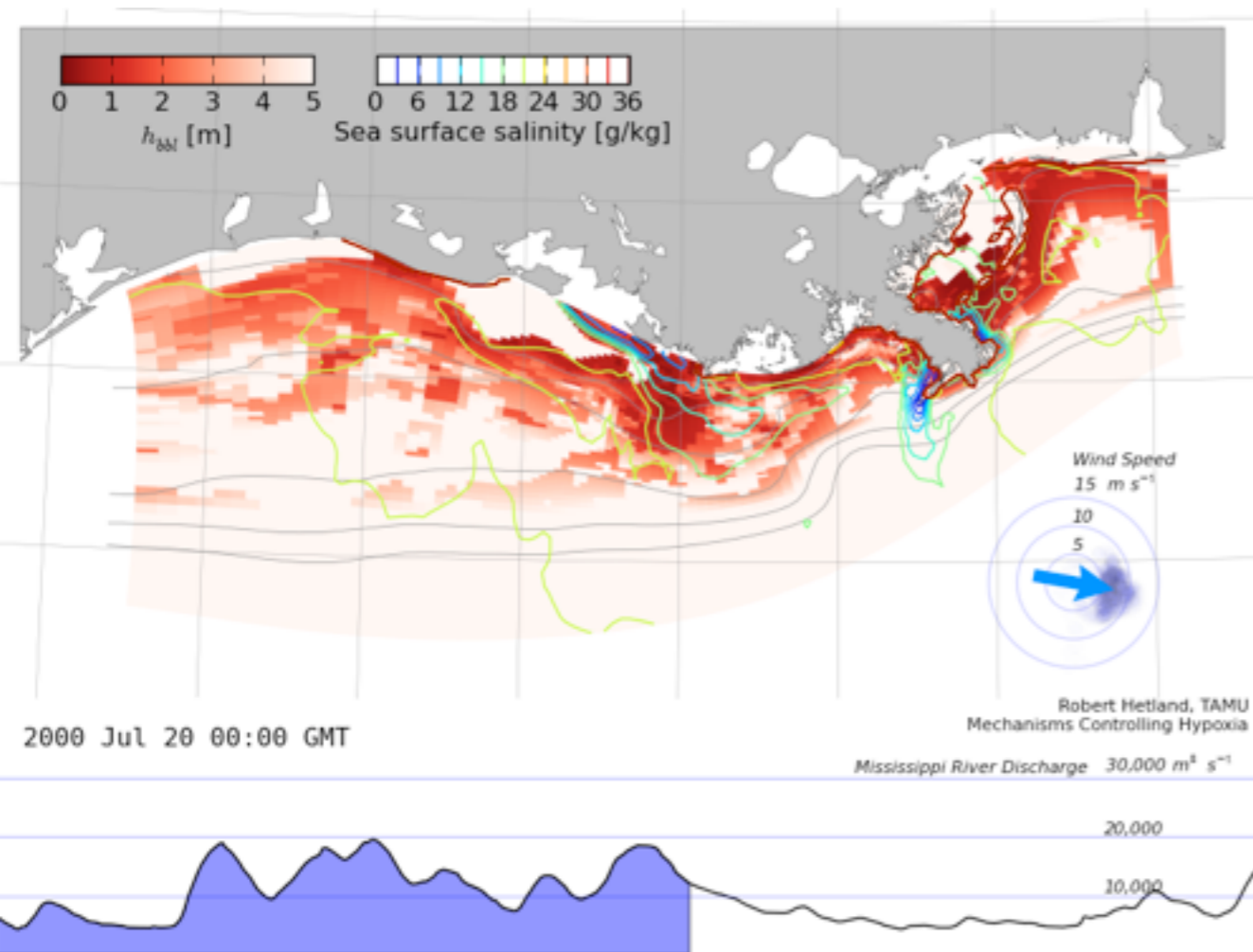
2002 Largest hypoxic area





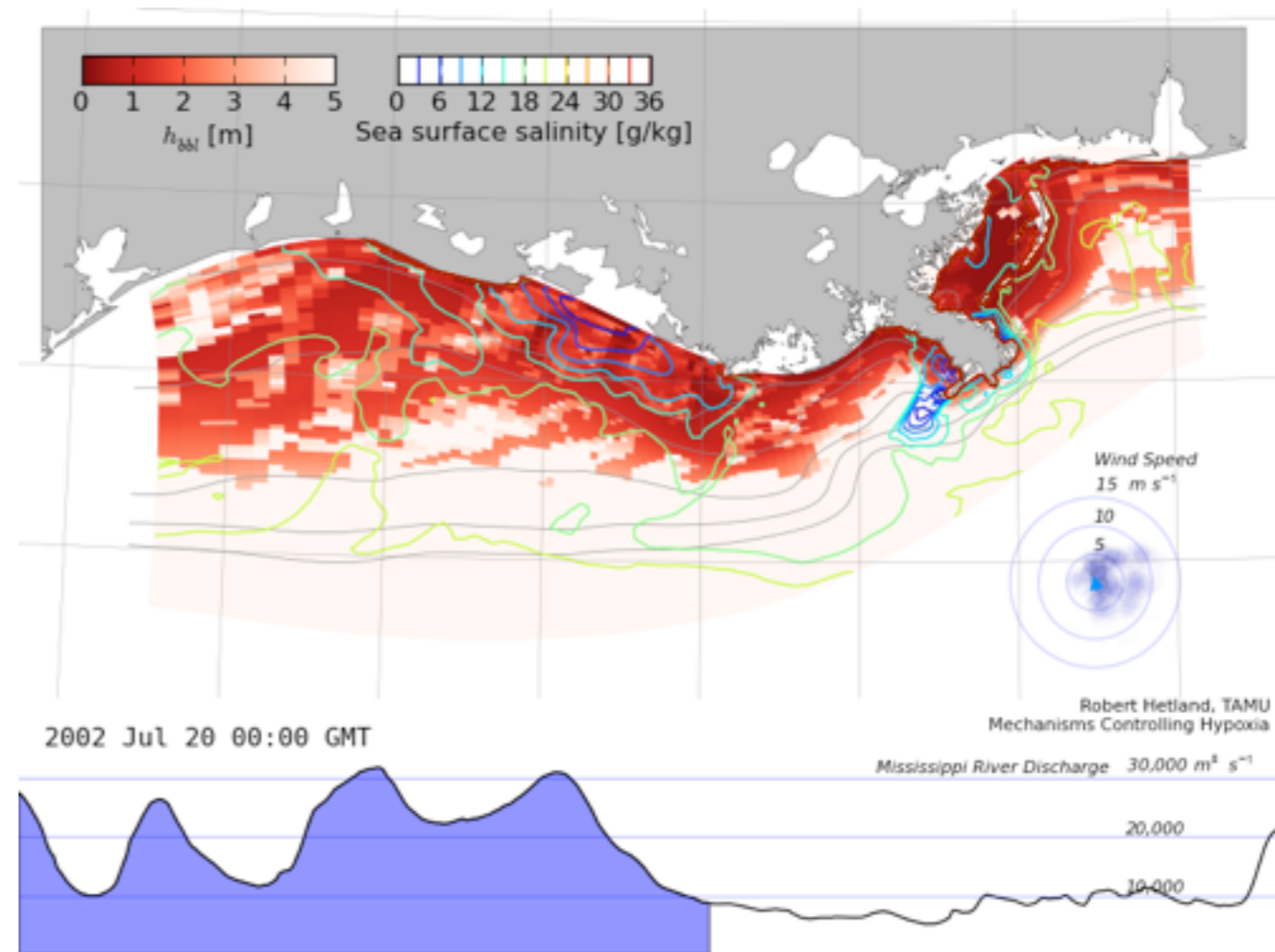
2000

Low discharge year
Strong westerly winds

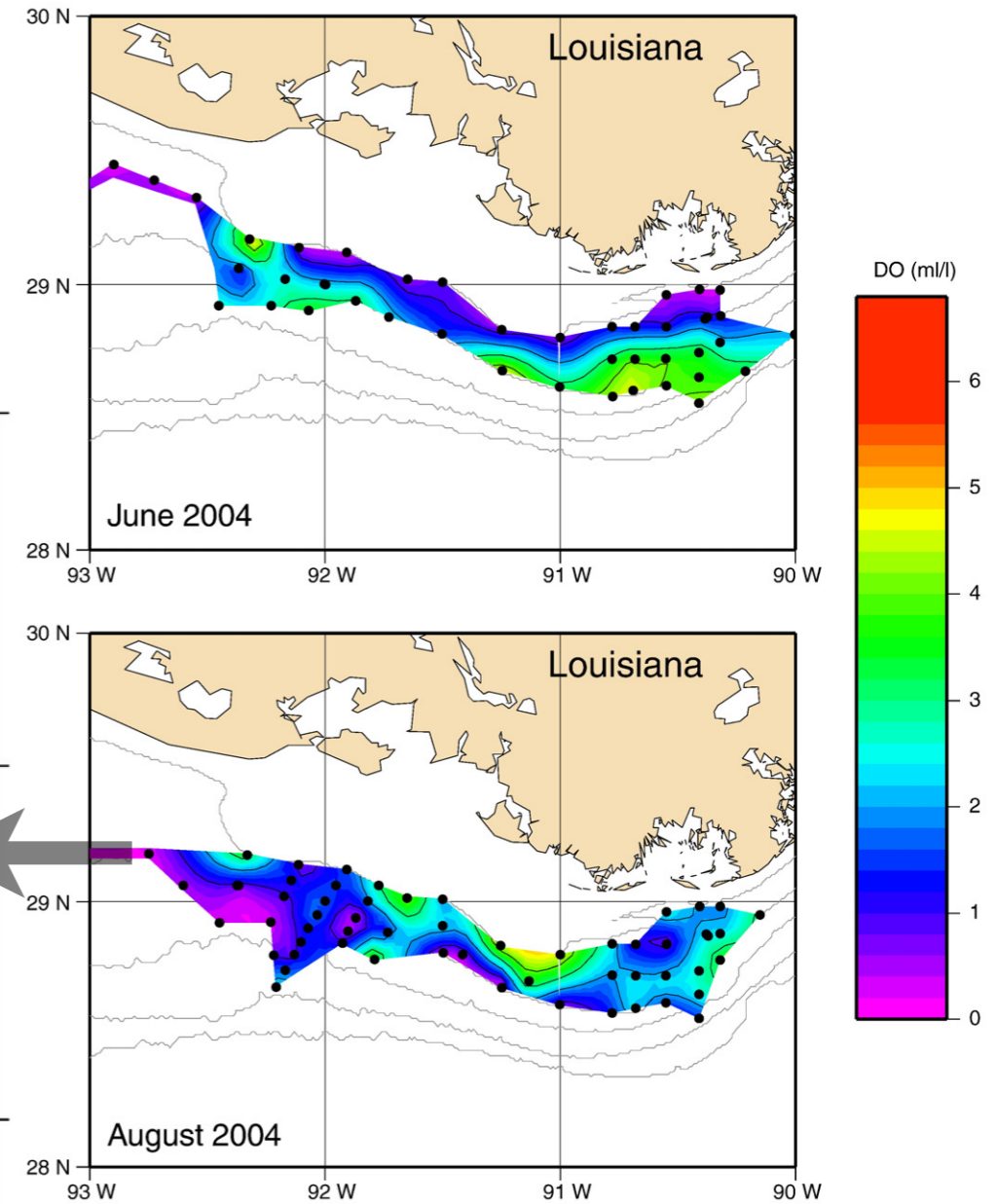
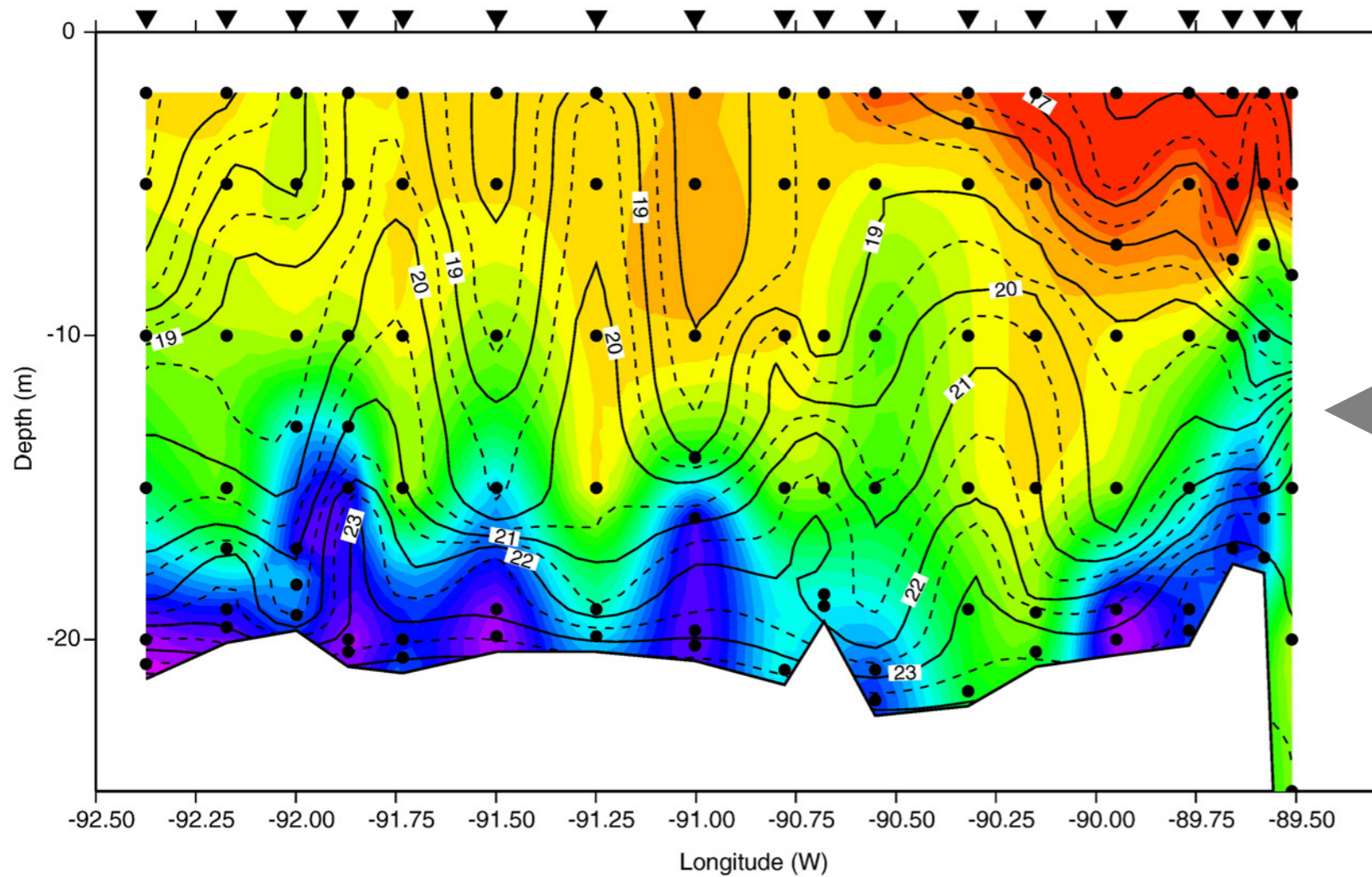
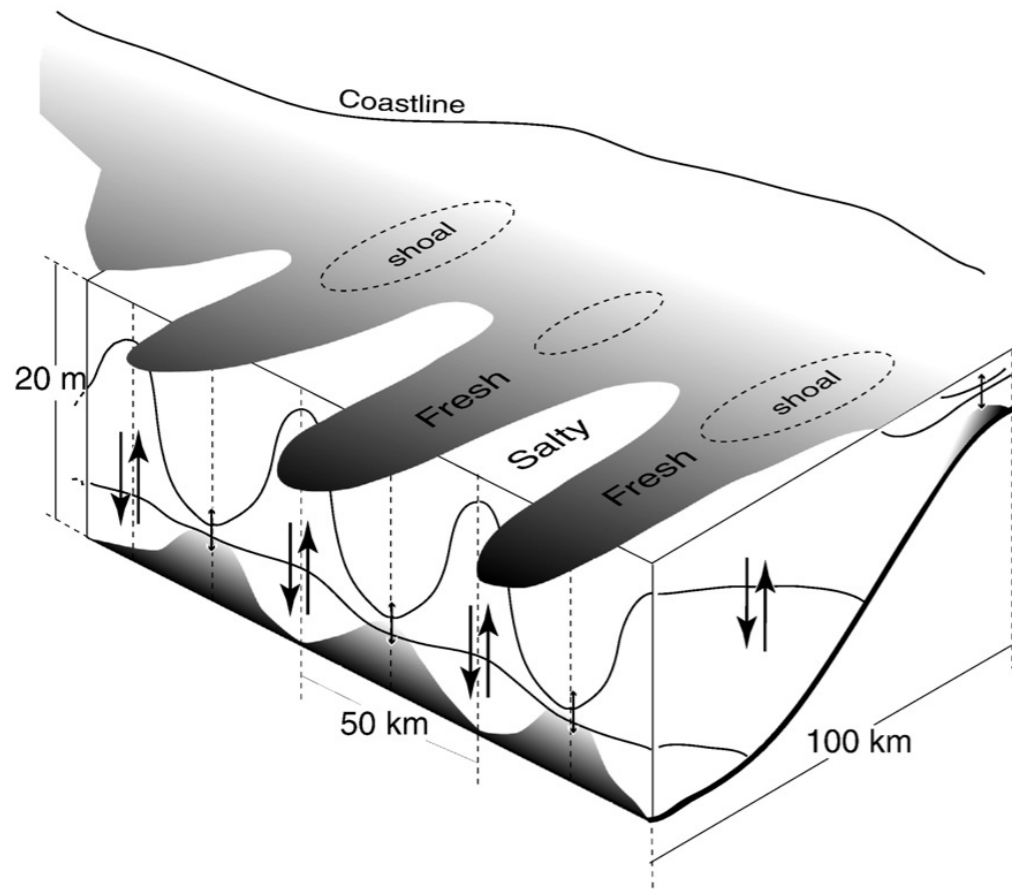


2002

High discharge year
Weak variable winds

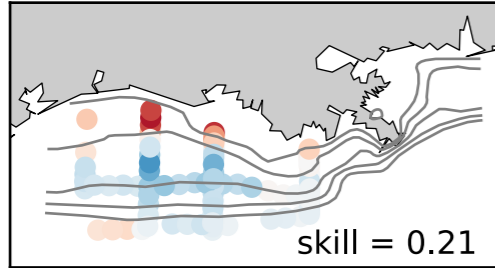


Spatial length scales of bottom hypoxia are $O(10\text{ km})$, and associated with small-scale bathymetric features.

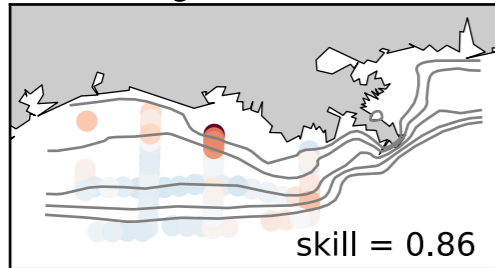


Dimarco et al. (JMS, 2010)

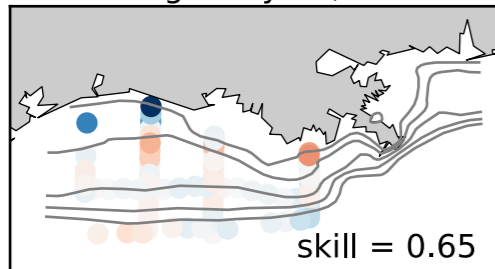
May 02 through May 08, 1992



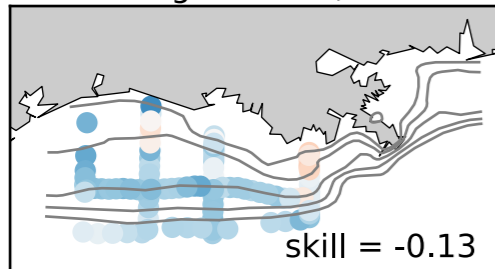
Nov 06 through Nov 13, 1992



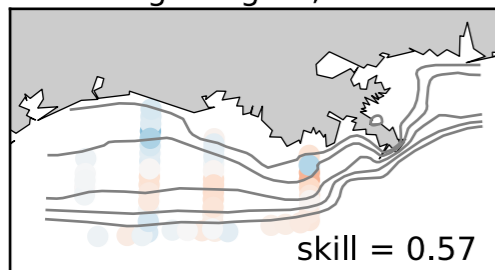
Apr 26 through May 03, 1993



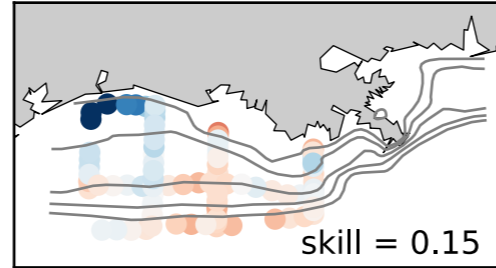
Nov 08 through Nov 14, 1993



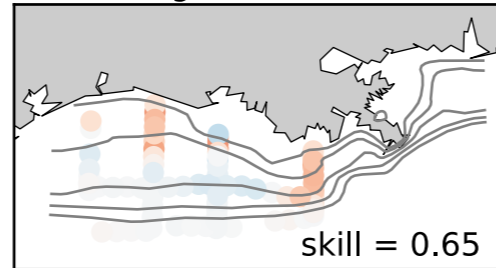
Jul 27 through Aug 01, 1994



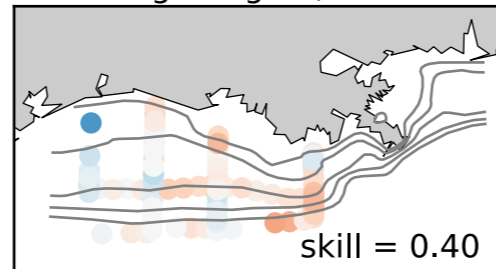
Aug 02 through Aug 08, 1992



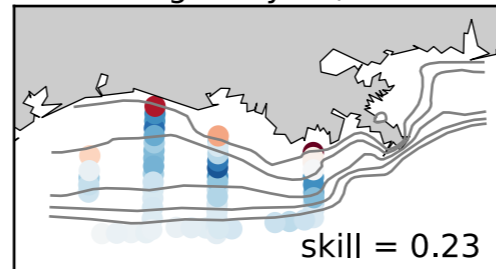
Feb 06 through Feb 13, 1993



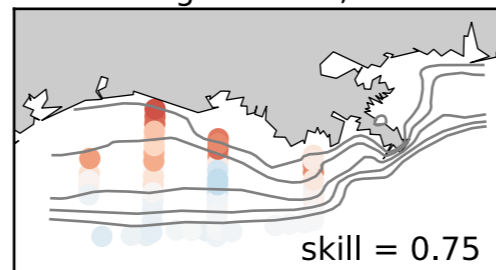
Jul 27 through Aug 01, 1993



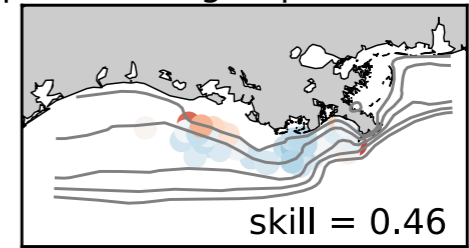
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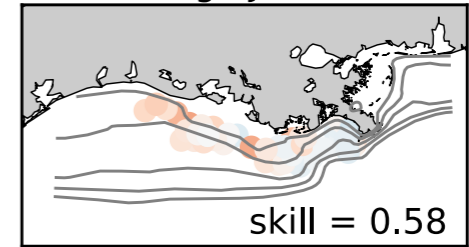
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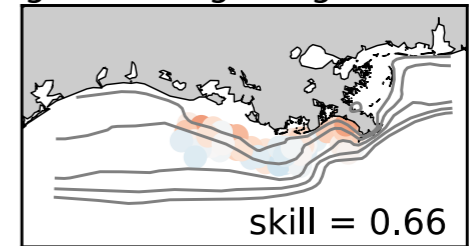
Apr 02 through Apr 07, 2004



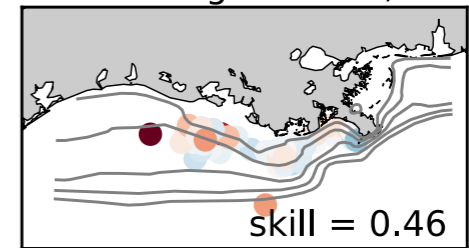
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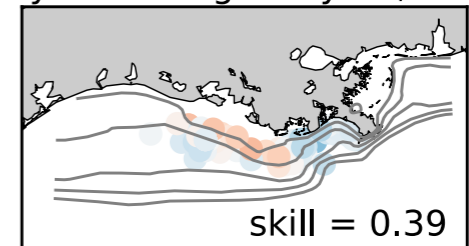
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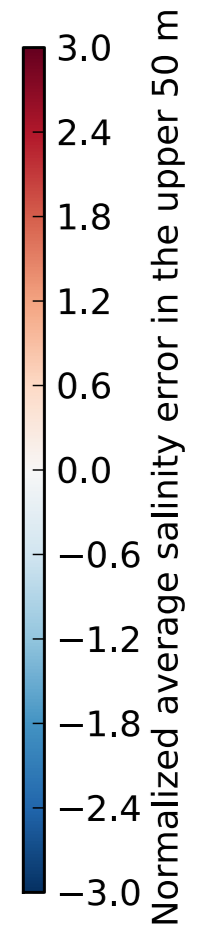
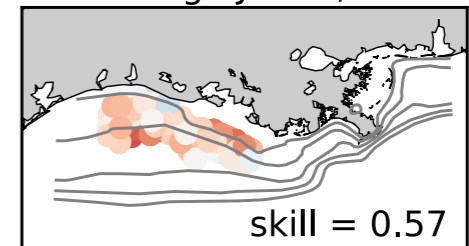
Mar 23 through Mar 29, 2005



May 20 through May 26, 2005

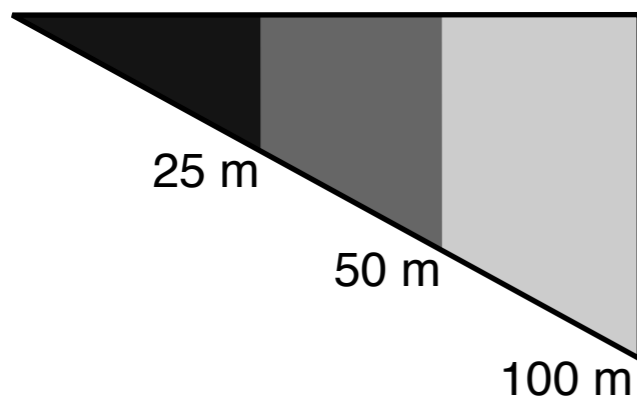
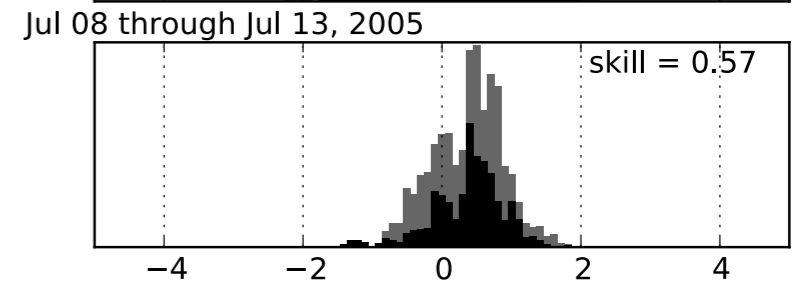
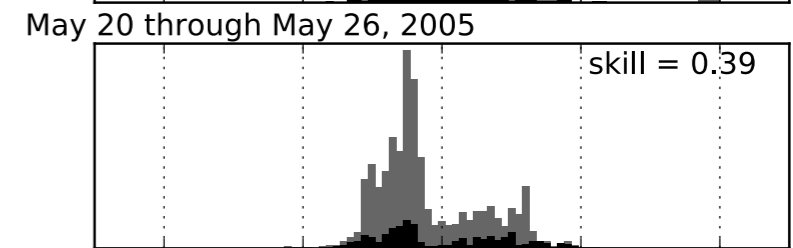
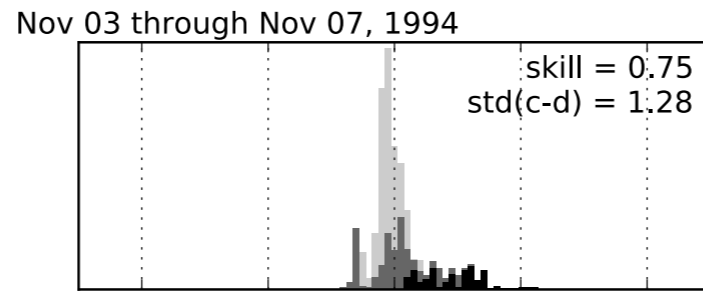
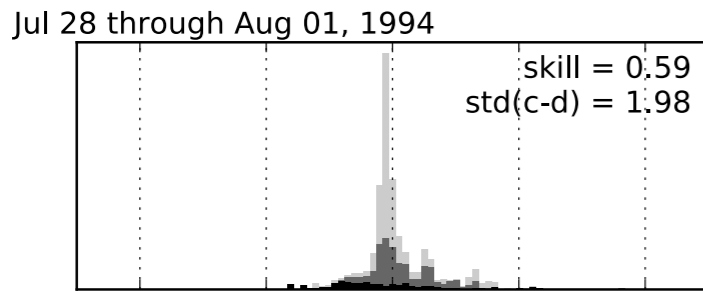
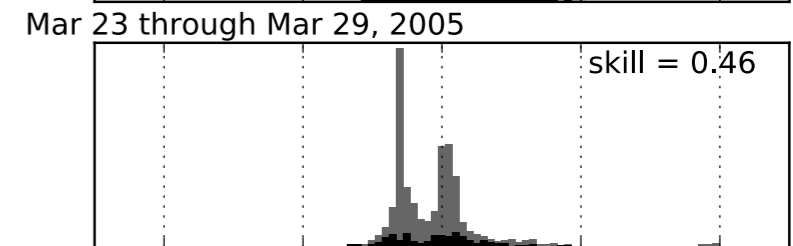
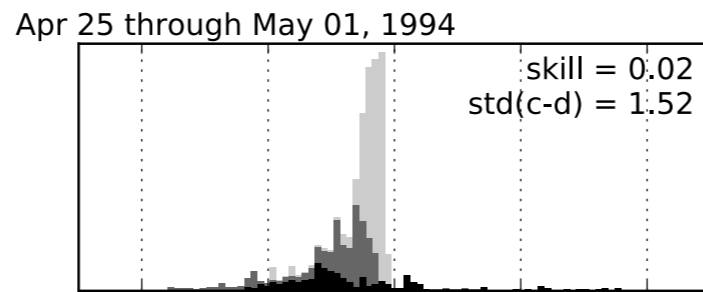
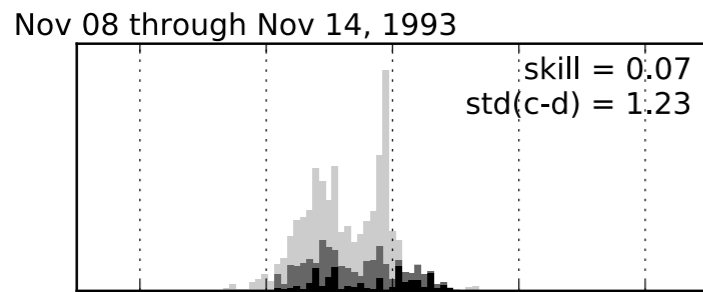
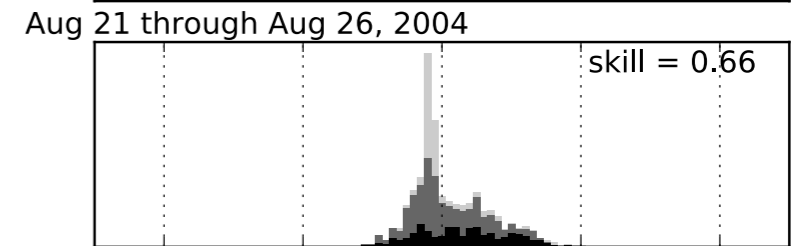
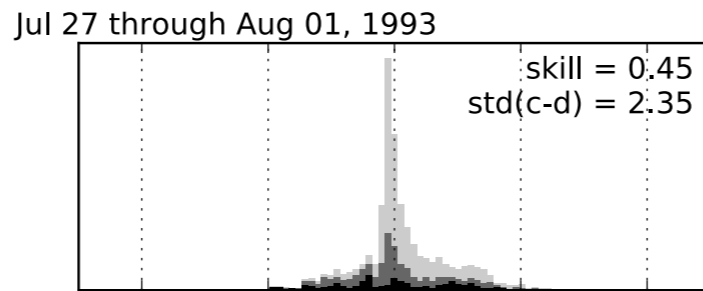
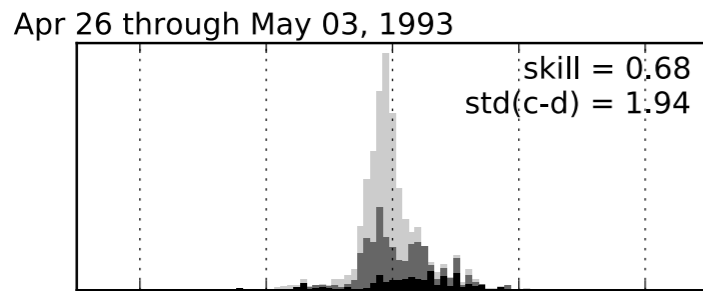
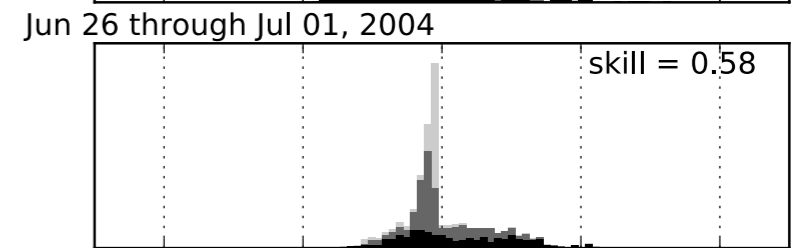
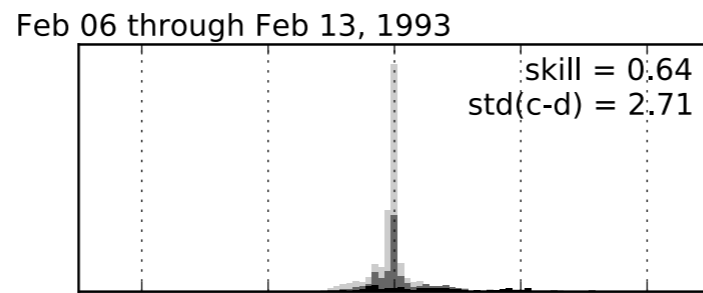
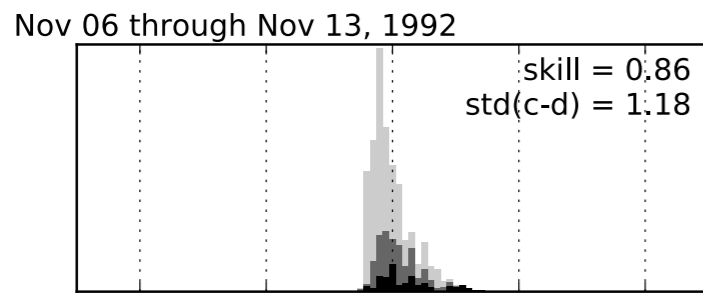
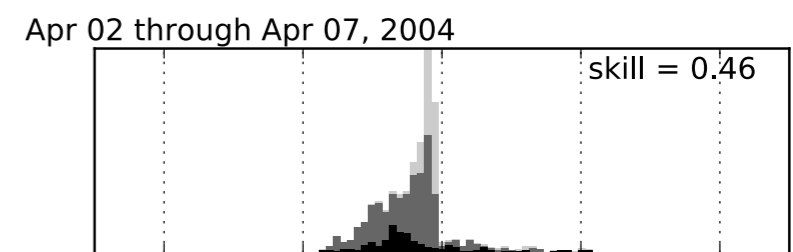
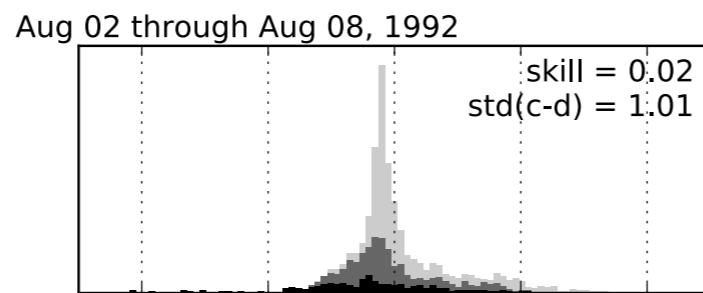
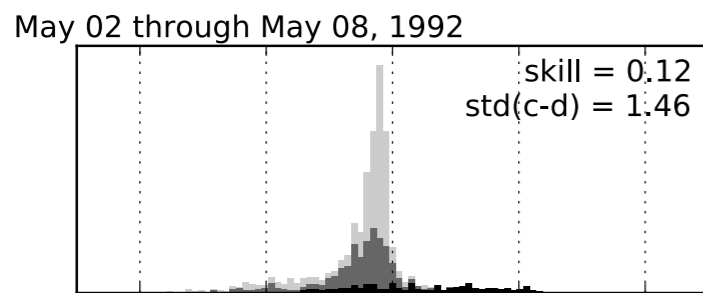


Jul 08 through Jul 13, 2005



$$\frac{(m - d)}{\text{std}(c - d)}$$

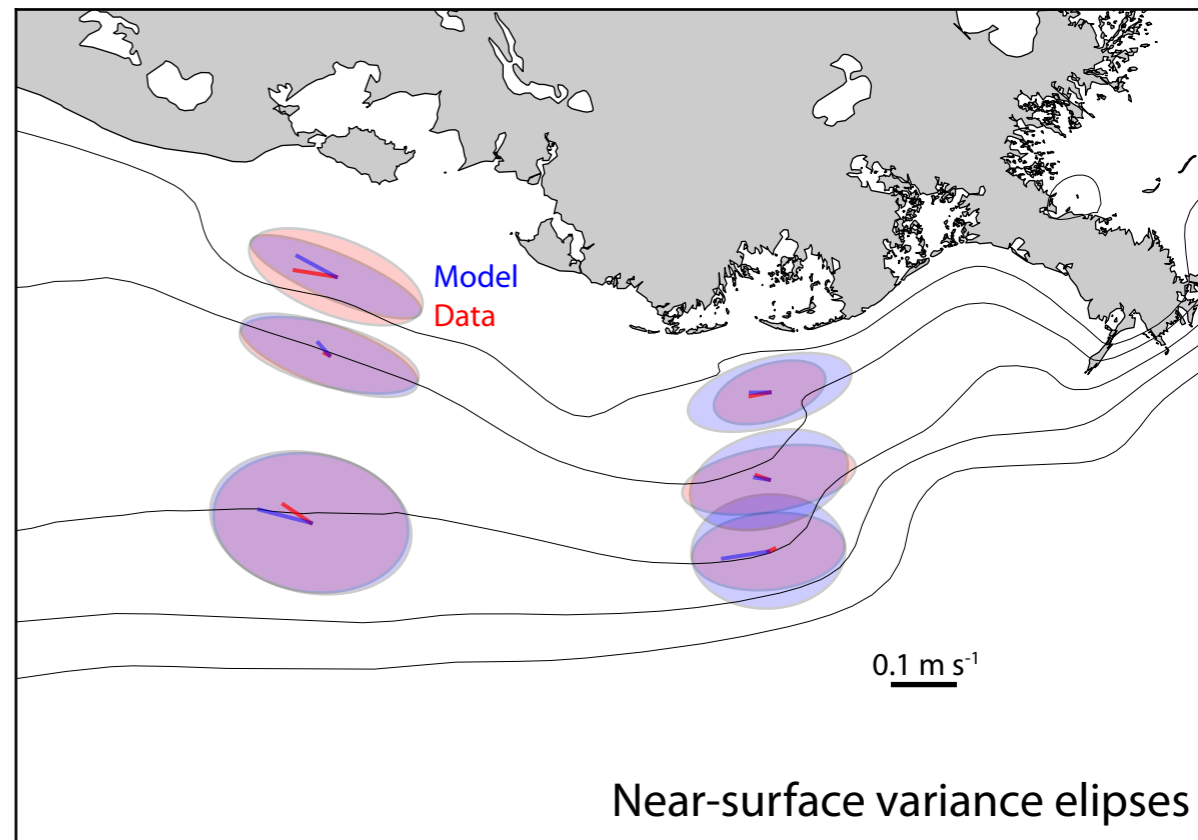
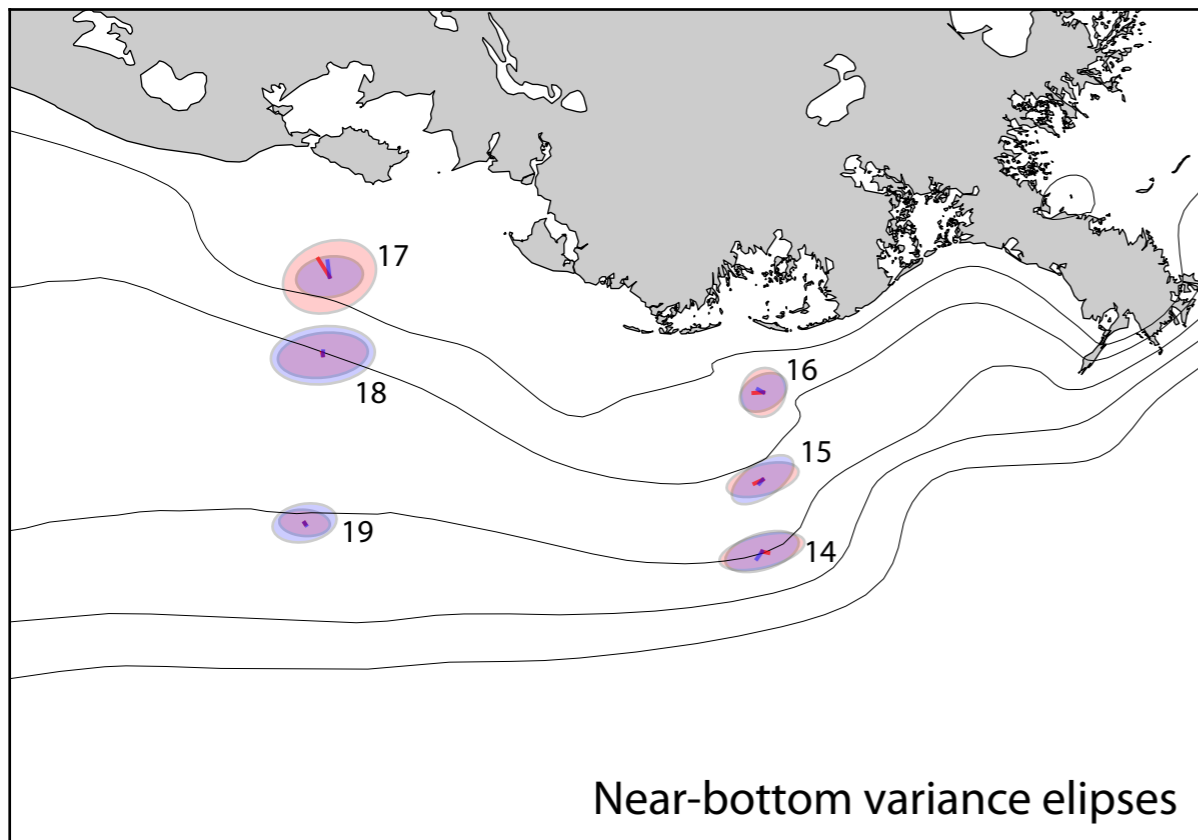
$$\text{skill} = 1 - \frac{\sum (m - d)^2}{\sum (c - d)^2}$$

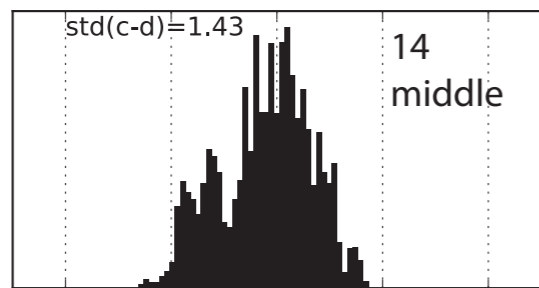
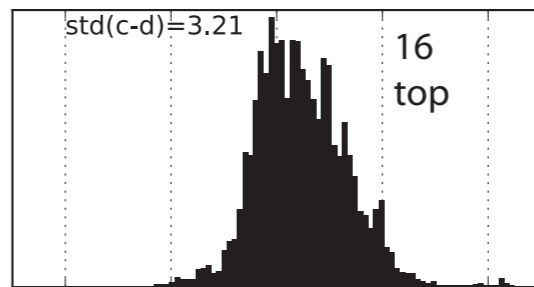
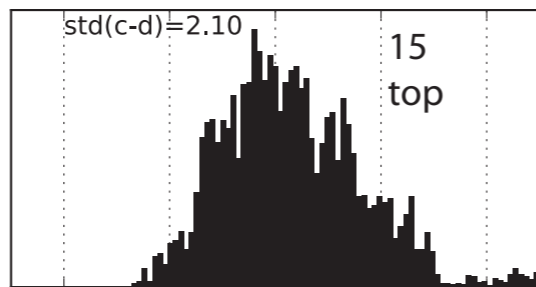
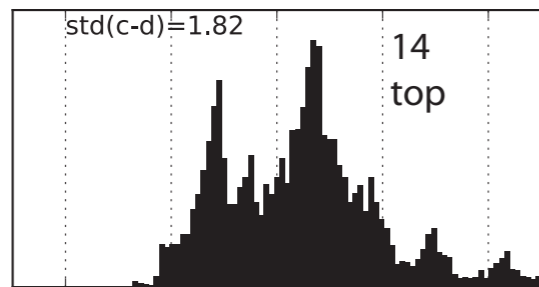


Normalized Salinity Error Histograms

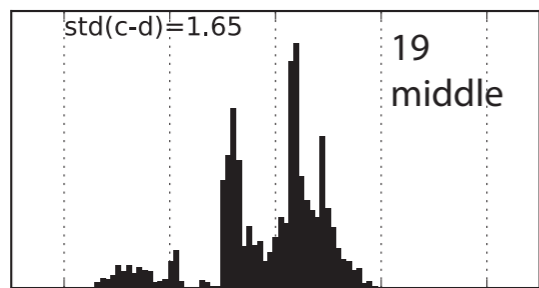
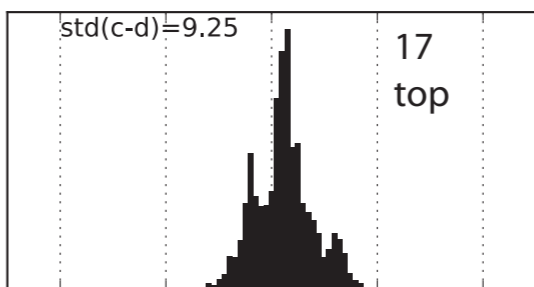
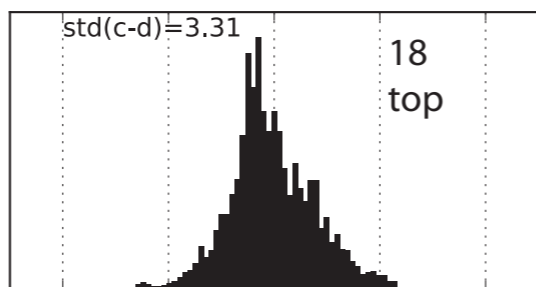
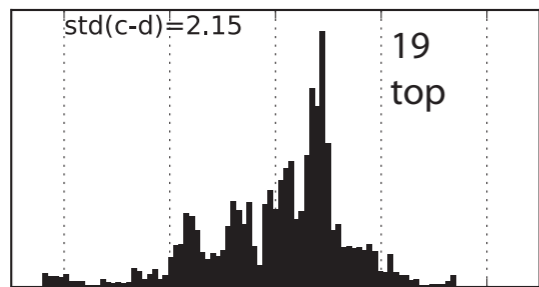
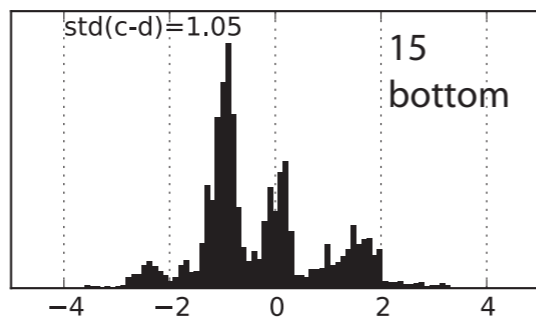
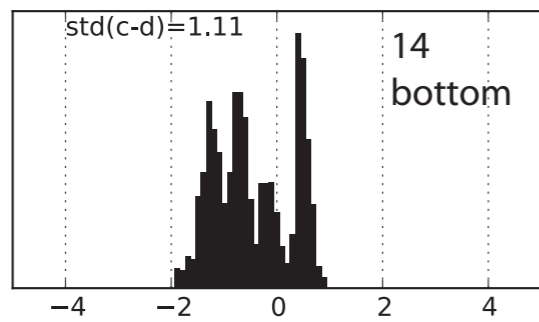
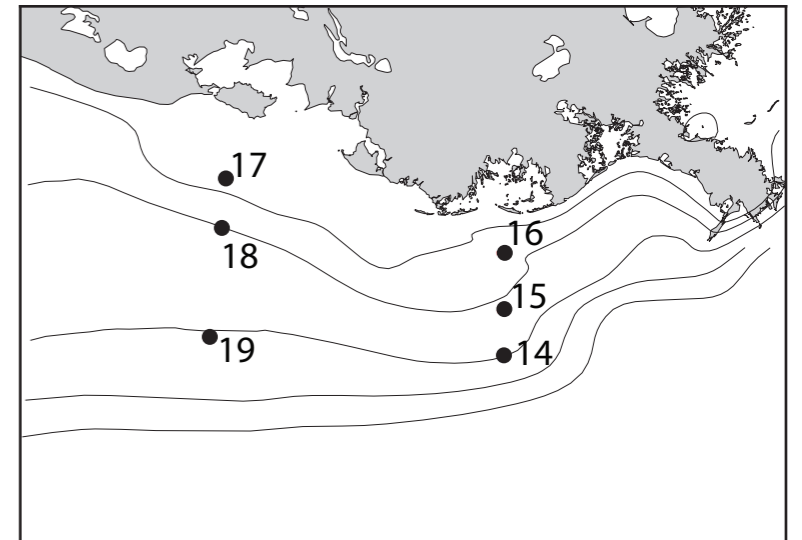
$$\frac{(m - d)}{\text{std}(c - d)}$$

Note: std defined *with mean*

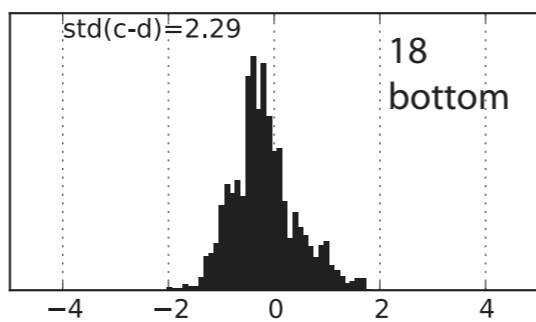
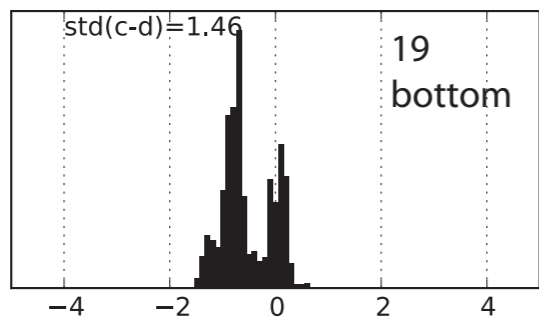


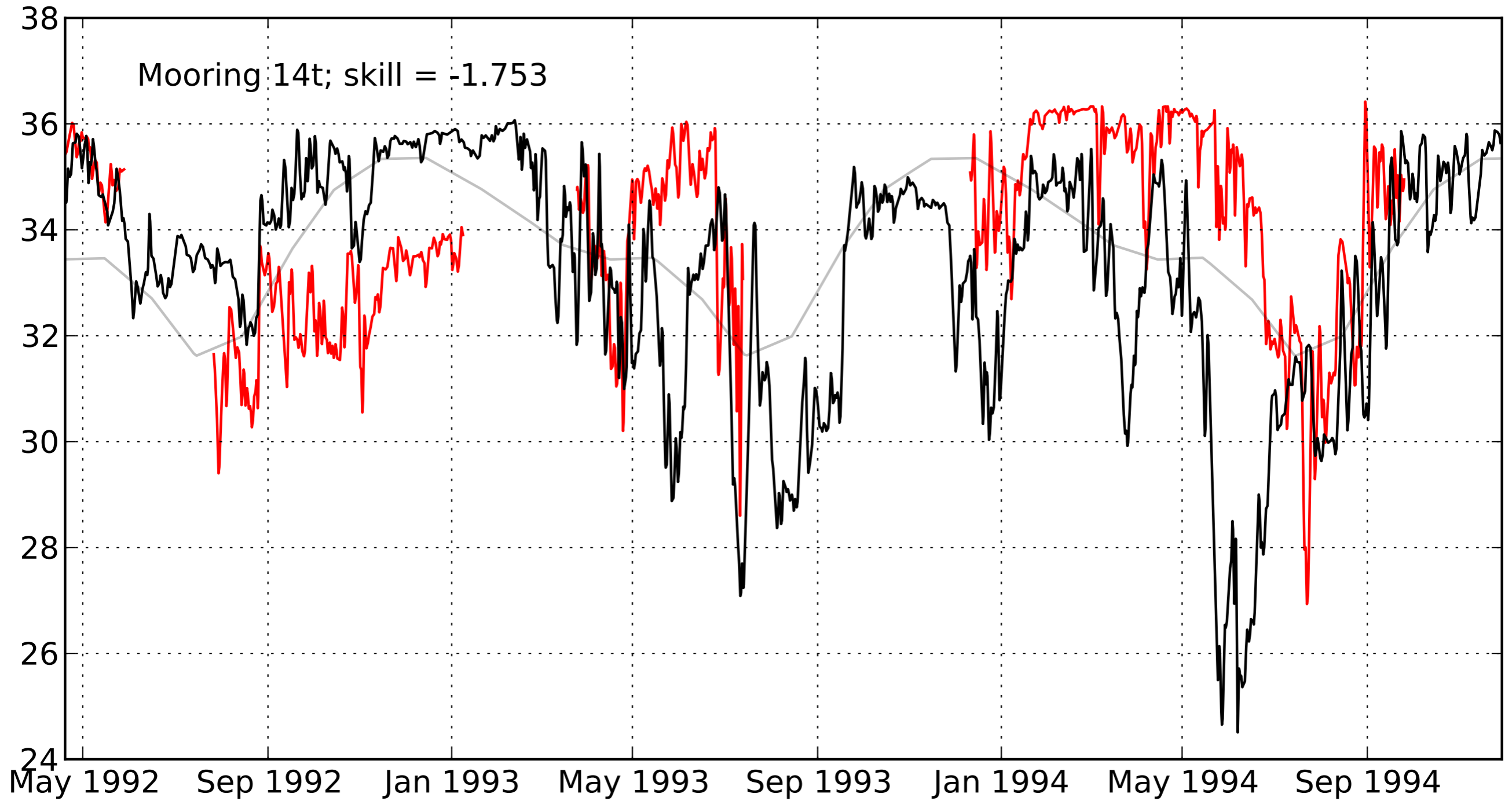
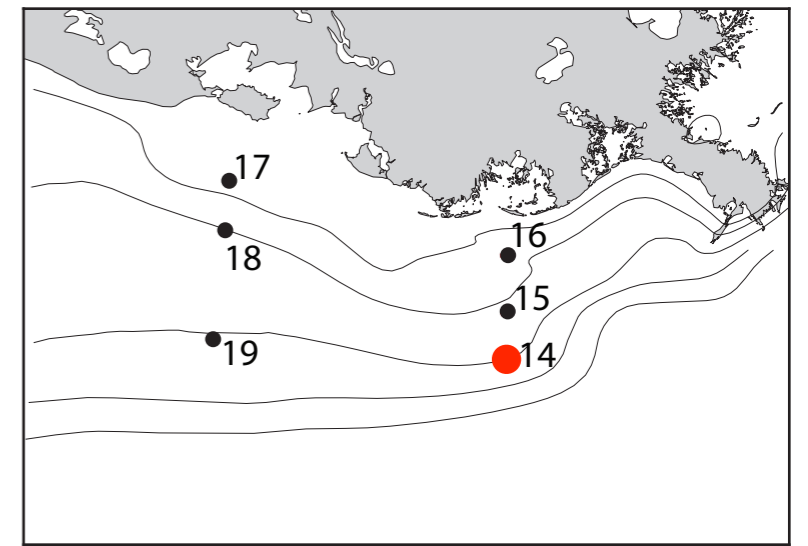


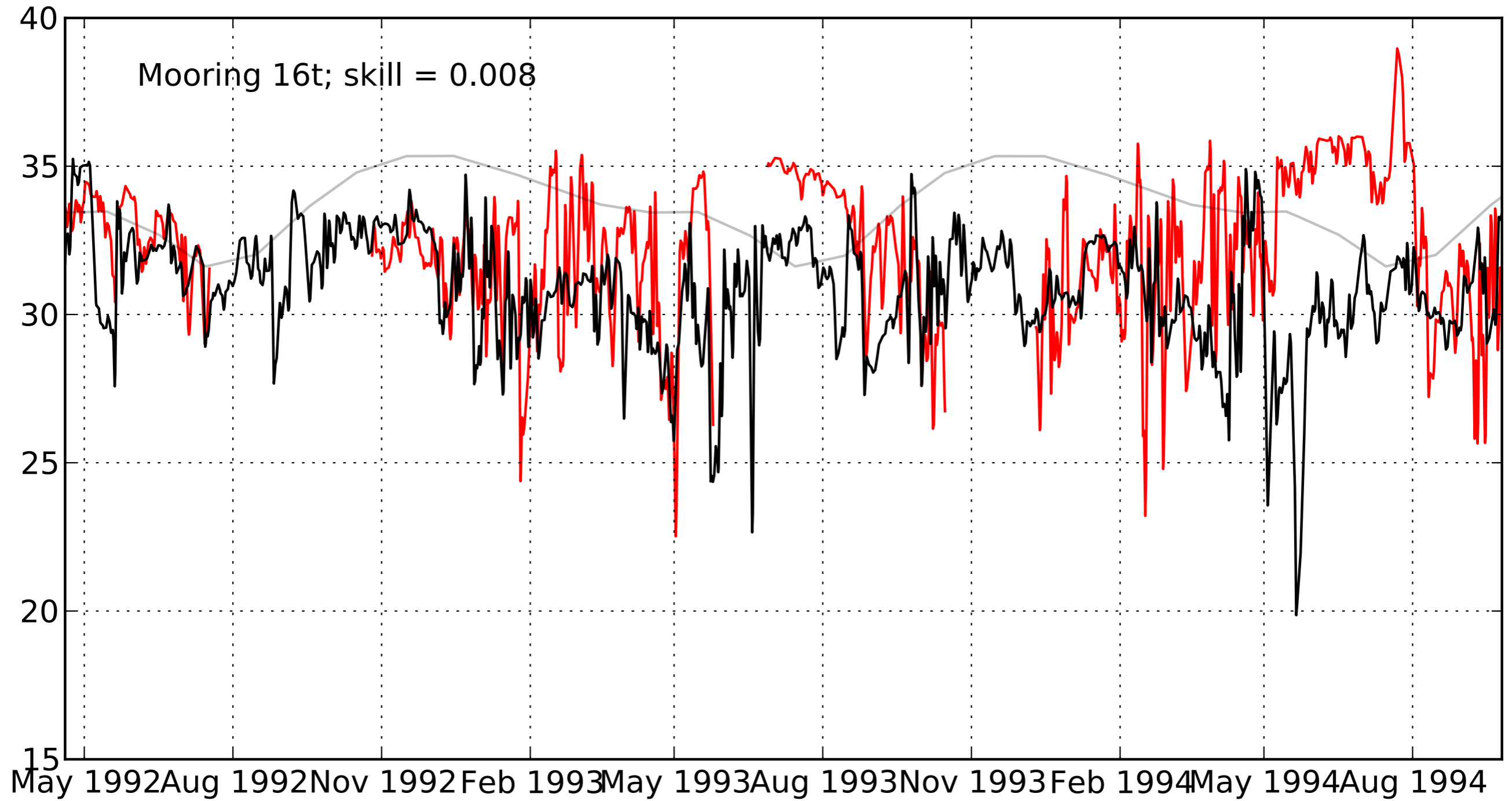
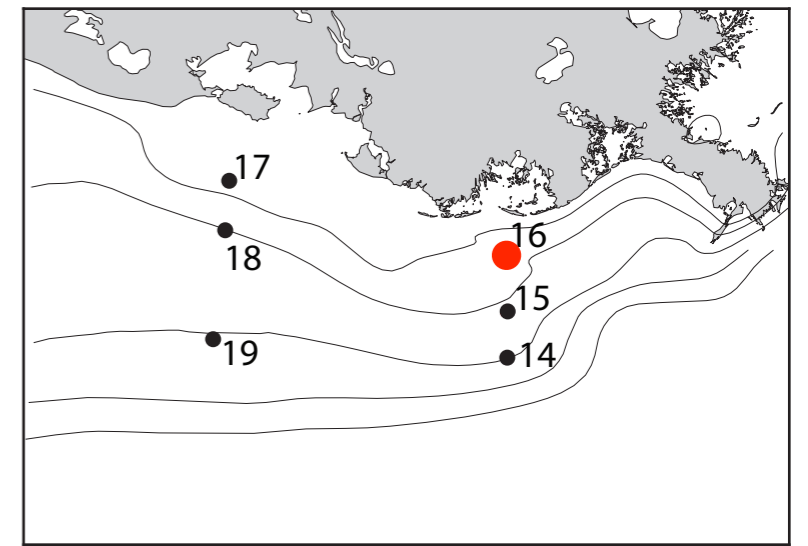
Eastern moorings

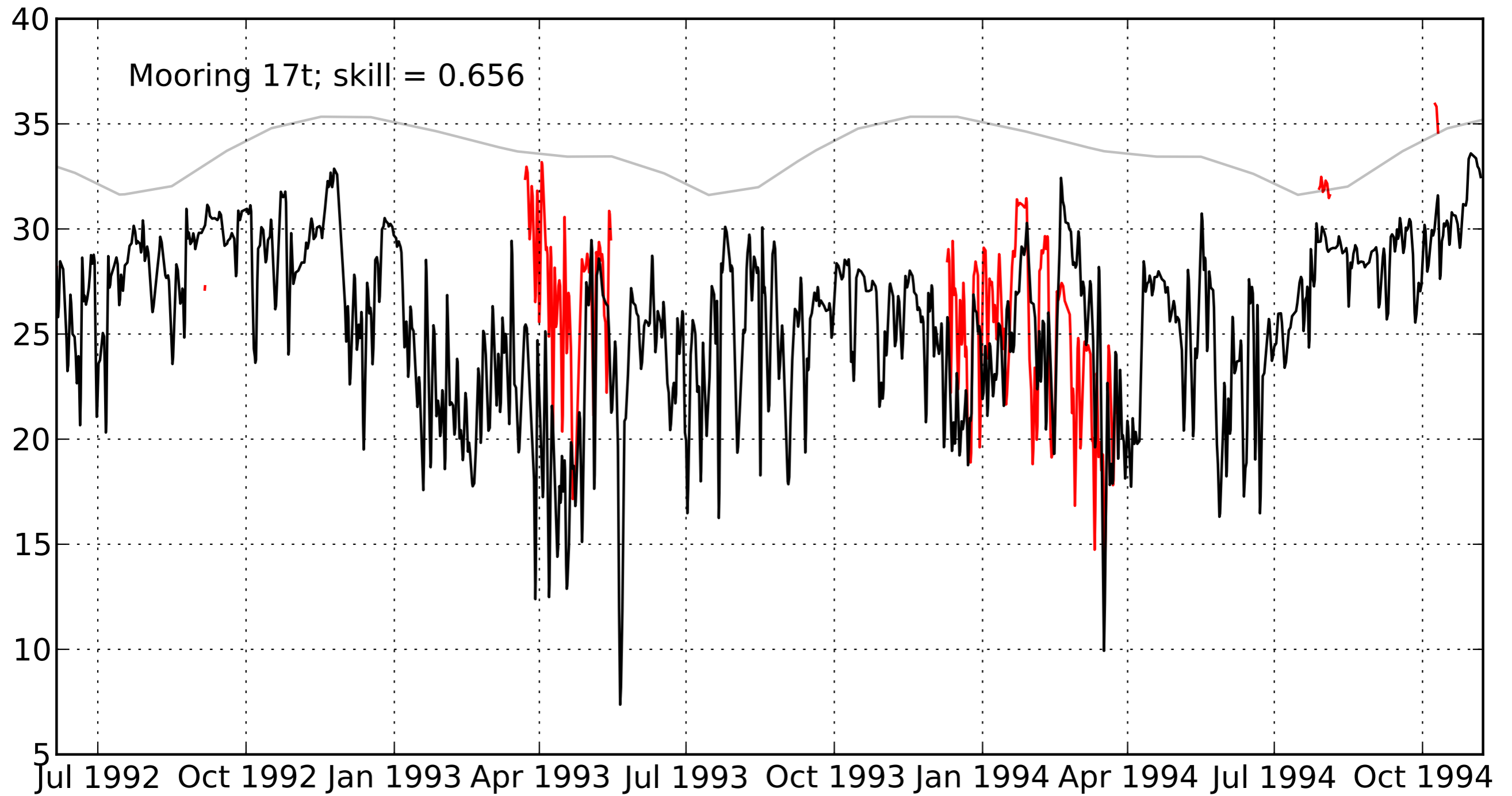
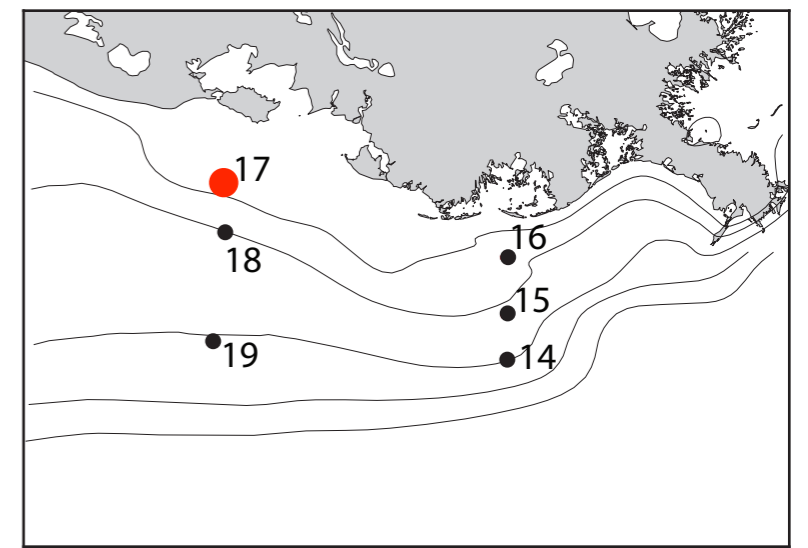


Western moorings









Bogden et al. (1996)

Basic model: Oct 27 response to local wind

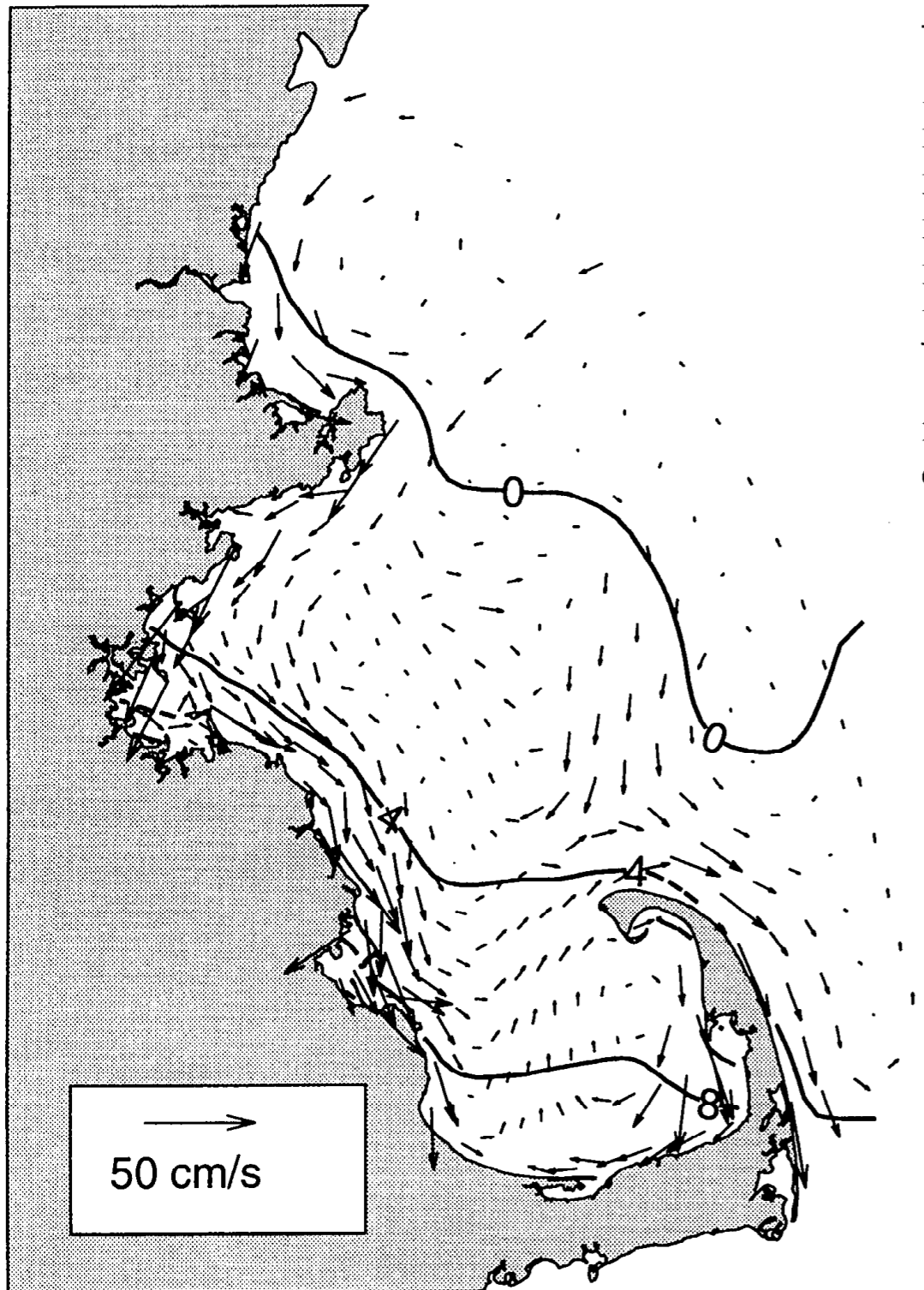
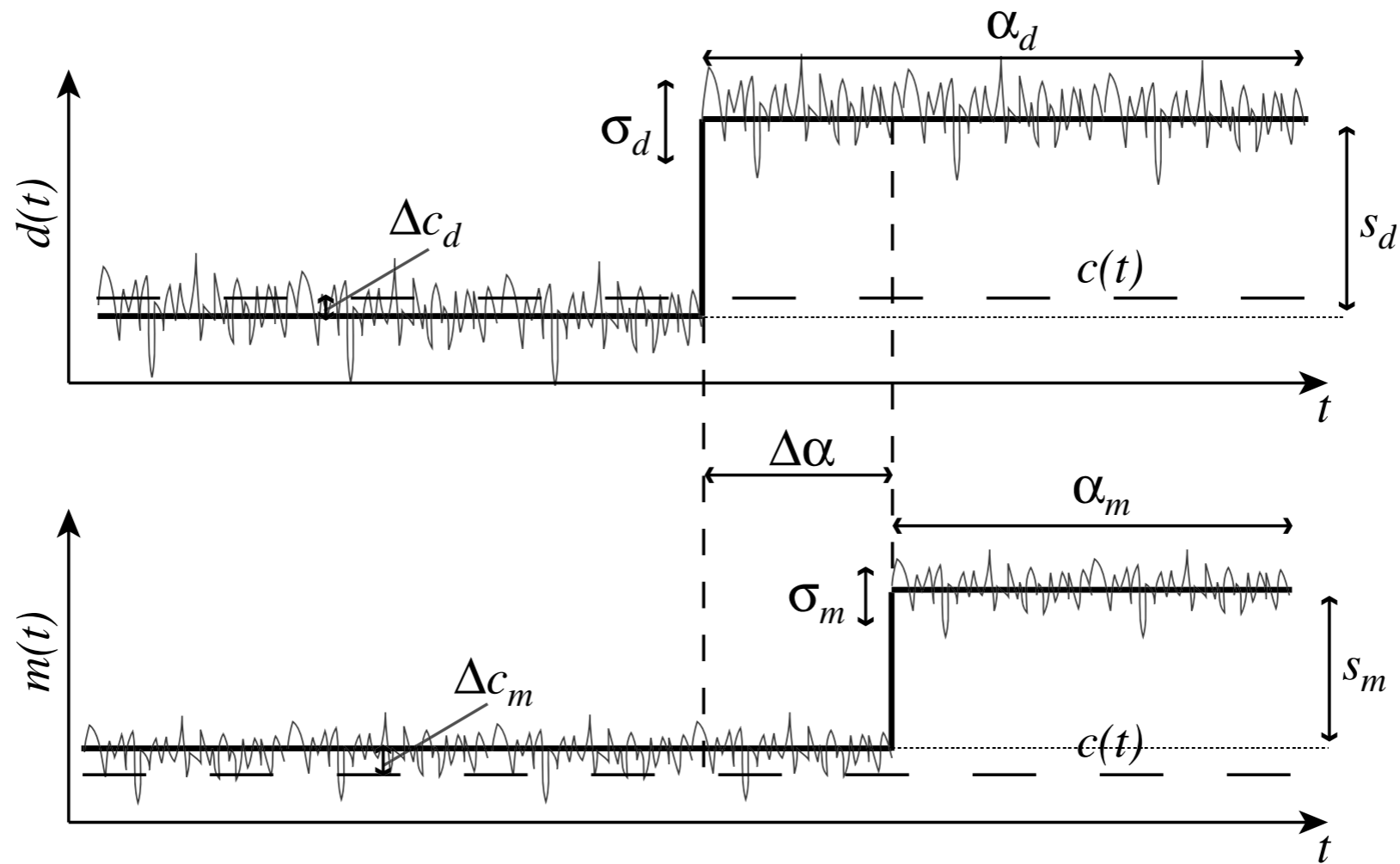


Table 2. Skills of the Local Wind-Driven Flow From the Basic Model (1) and of the Hierarchy of More Complete Primitive-Equation Models

Run	Dimensions	Momentum	Bottom Friction	Model Skill	rms, cm/s
(1)	2-D	linear	linear	0.27	0.21
BM-1	2-D	linear	linear	0.30	0.28
BM-2	2-D	linear	quadratic	0.27	0.40
BM-3	2-D	nonlinear	quadratic	0.25	0.43
BM-4	3-D	linear	quadratic	0.20	0.45
BM-5	3-D	nonlinear	quadratic	0.11	0.49

See text. The last column shows rms variation averaged over all measurement locations and times. For comparison, the rms variation of the data is $\sqrt{\mathbf{d} \cdot \mathbf{d}/N} = 0.57$ cm/s.

Increasing model complexity:
- increases variance
- decreases model skill



Perfect model
with same noise levels

$$\text{skill} = 1 - \frac{2}{\alpha \left(\frac{s}{\sigma}\right)^2 + 1}$$

or

Perfect model
with different noise levels

$$\text{skill} = 1 - \frac{\left(\frac{\sigma_m}{\sigma_d}\right)^2 + 1}{\alpha \left(\frac{s}{\sigma_d}\right)^2 + 1}$$

Some kind of obvious statements intended to be profound

Decorrelation space and time scales are quite small

Observations do not resolve these scales adequately

Differences between simulation and observations of these features must be considered measurement error

The observation error covariance needs to have spatial scales larger than the measurement separation

While the observation error covariance is ridged at the small scales, the model is not – how to assimilate?

How to evaluate the parts of the model that could be improved, but are not well represented in the model?



A modern scripting language, similar to Perl, Ruby, etc
a high level language, with functions and classes
many built in packages for text processing, networking

Python + numpy/matplotlib packages \approx MATLABTM

Many other scientific packages (like MATLABTM's toolboxes)

Many other plotting packages (unlike MATLABTM)

NetCDF3 & NetCDF4 support, able to concatenate files.

Able to call compiled FORTRAN and C (like MEX files, but much easier)

Free, open source.

Everything you saw was created using Python

Model setup, analysis, figures, and animations (with ffmpeg)